# Artificial Neural Networks: Lecture 12Johanni BreaUse Cases of Deep Reinforcement LearningEPFL, Lausanne, Switzerland

# **Outline of today:**

- A3C, DQN and decorrelation for deep RL
- RL in the ATARI domain
- Replay Memory and Backward Planning in tabular environments
- Forward Planning in model-based RL (board games): Minimax vs. Monte Carlo Tree Search
- Alpha Zero
- Limitations of deep RL

### **Reading for this lecture:**

### Sutton and Barto 2018 Reinforcement Learning

## - Ch 16, 8, (optional 17)

# Further (optional) reading for this lecture: See references in the slides.

# Asynchronous Advantage Actor Critic (A3C) Deep Q-Learning (DQN) And Decorrelation for Deep RL

# **Review: Actor-Critic Policy Gradient**



# Asynchronous game play and entropy regularization

1) Minibatches allow to leverage parallelization e.g. GPU **Problem: Minibatches for Actor-Critic Policy Gradient?** Proposed solution: Interact with N environments in parallel. 2) Policy can become deterministic too quickly, e.g.

$$\pi(a=1|s) = \frac{\exp(w_1s)}{\sum_i \exp(w_is)}$$

Proposed solution: add entropy  $H(\pi)$  to cost function (regularization to keep differences between w's small).

A3C = Asynchronous (interaction with N environments) **A**dvantage (TD-error = advantage of chosen action) (policy network) Actor (value network) Critic

- $\approx 1 \text{ if } w_1 \gg w_i$

# **Atari Video Games (preprocessing)**



### g(t) = grayscaled( downsampled(o(t))

# o(t) = original





### s(t) = (g(t), ..., g(t-3))input to convnet

# Learning Atari Games with A3C



- 8x8x32 stride 4 => 4x4x64 stride 2 => 3x3x64 => 512 => 4 18
- 16 parallel threads on CPU per game for up to 4 days to reach superhuman performance in 57 games

=> 3x3x64 => 512 => 4 - 18 ne for up to 4 days e in 57 games

# Deep Q-Network

- $Q_a(s)$  = same network as on previous slide (different interpretation)  $\hat{Q}_a(s)$  = copy of  $Q_a(s)$  with old parameters (target network) 1: for all steps do
- select action  $a_t$  with  $\epsilon$ -greedy policy using  $Q_a(s_t)$ 2:
- 3:
- Store transition  $(s_t, a_t, r_t, s_{t+1})$  in replay memory 1M transitions 4:
- Sample random minibatch  $(s_i, a_i, r_i, s_{i+1})$  from replay memory 5:
- 6:
- Every C steps reset  $\hat{Q} = Q$ . 7: 8: end for

$$\mathcal{L}(x) = \begin{cases} |x| & x > 1\\ x^2 & \text{otherwise} \end{cases}$$



# **Decorrelation for Deep RL**





**Classification:** uncorrelated sampling of training data

RL: Subsequent inputs often highly correlated



### **Possible solutions**

1) Parallel interaction with N independent environments (A3C) 2) Sampling from replay memory (DQN)

# **Replay Memory and Planning in Tabular Environments**

31	32	33	34	35	36
25	26	27	28	29	30
19	20	21	22	23	24
13	14	15	16	17	18
7	8	9	10	11	12
1	2	3	4	5	6

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- + Convergence
- + Minimal memory/computation
- Sample inefficiency

Can we do better?

# Yes. 1. Organize memory in table, i.e. estimate $P_{s \to s'}^a = N_{s \to s'}^a / N_s^a$ with counts $N_{s \rightarrow s'}^{a}$ and $N_{s}^{a}$ 2. Prioritize backups cleverly.

		$\sum_{i=1}^{n}$

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## Summary and Conclusions

- 1. Methods that estimate and use  $P^a_{s \to s'}$  for planning are called model-based.
- 2. The **Dyna Architecture** visualizes, how model-based methods could work.
- 3. Prioritized sweeping is a **backward-focusing** planning method.
- 4. Application of insights to DQN: **Prioritized-DQN** samples replay memory better than uniform random (https://arxiv.org/abs/1511.05952).

## **OUIZ:**

[] SARSA is a model-based RL algorithm because Q(s, a) is learned. [] DQN is a model-based algorithm because of its use of a replay memory. [] Prioritized sweeping is a model-based algorithm because it uses  $N_{s \rightarrow s'}^a / N_s^a$ to backup the Q-values.

[] Uniform sampling from replay memory or parallel interaction with independent environments reduces the variance of the gradient estimator. [] Prioritized DQN further reduces the variance of the gradient estimator. [] Prioritized DQN learns faster than DQN, because the samples lead to better propagation of changes in Q-values. [] To detect the motion of objects in ATARI games 4 subsequent frames form the input of DQN and A3C.

# Two player board games (Go, Chess, Shogi)

## What is special about board games?

- $P^a_{s \to s'}$  is perfectly known => planning methods can be applied
- State space is large Chess ~  $10^{40} - 10^{50}$  positions Go 19x19 ~  $10^{170}$  positions (number of atoms on earth) ~  $10^{50}$
- Action space is not small
- Chess  $\sim 10 30$  actions per position • Go  $\sim 100 - 361$  actions per position

### Should we use prioritized sweeping? No.

Backups only along visited positions. No generalization to other positions.

![](_page_102_Picture_7.jpeg)

## **Classical approaches 1: MiniMax (with alpha-beta pruning)**

function MAX-VALUE $(s, \alpha, \beta)$ if terminal(s) return V(s) $v = -\infty$ for all c in next-states(s) do  $v' = \text{MIN-VALUE}(c, \alpha, \beta)$ if v' > v, v = v'if  $v' \geq \beta$  return vif  $v' > \alpha, \alpha = v'$ end for return vend function

- Typically used in chess engines (e.g. StockFish)
- V(s) typically hand-crafted evaluation function of board position, e.g. a queen is more valuable than a pawn

function MIN-VALUE $(s, \alpha, \beta)$ if terminal(s) return V(s)

 $v = \infty$ 

for all c in next-states(s) do  $v' = MAX-VALUE(c, \alpha, \beta)$ if v' < v, v = v'if  $v' \leq \alpha$  return vif  $v' < \beta, \beta = v'$ end for return v

end function

Example on blackboard

http://inst.eecs.berkeley.edu/~cs61b/fa14/ta-materials/apps/ab\_tree\_practice/

## **Classical approaches 2: Monte Carlo Tree Search (MCTS)**

![](_page_104_Figure_1.jpeg)

- Typically used in go engines (e.g. MoGo, FueGo, Zen) No hand-crafted evaluation function of board positions needed (slow) convergence to minimax solution

## AlphaZero: the MCTS variant

### Most important modifications:

1. 
$$PUCB(s, a) = Q(s, a) + cP(s, a)$$
  
Prior prolematical prior prior

2. Update of Q(s, a) with estimated win probability V(s) computed by a separate output of the neural net instead of just rollout values.

![](_page_105_Picture_4.jpeg)

bability (focus) by neural net

## AlphaZero: the neural network

1) Input: 17 planes (8 + 8 + 1)8 planes for own stones in last eight board positions 8 planes for opponent stones in last eight board positions plane (all 0 or all 1) to indicate if white or black is to play 2) Deep res-net with batch-normalization (79 layers) 3) Output: policy head P(s, a) value head V(s)

Training: Uniform sampling of 2048 positions s from last 500 000 games to form a minibatch. Loss:

![](_page_106_Picture_3.jpeg)

<sup>*a*</sup> Action probability from MCTS

## AlphaZero: success story

![](_page_107_Figure_1.jpeg)

700 000 steps (minibatches of size 4096) using >5000 TPU
## **OUIZ:**

[] MiniMax and Monte Carlo Tree Search require  $P^a_{s \to s'}$ . [] MCTS requires a value function to evaluate the leafs. [] AlphaZero uses a learned value function to update the leaf values. [] The probability of selecting a move in AlphaZero is given by the output of the policy neural network.

[] The probability of selecting a move in AlphaZero is determined by MCTS. [] The output of the policy network is used in the selection phase of MCTS.

[] Instead of a hand-crafted value function used in chess engines with MiniMax, one could learn the value function through self-play like AlphaZero.









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# From games to reality: what if the model is unknown?

Very active research:

- Oh et al. 2017 https://arxiv.org/abs/1707.03497 Learn abstraction with neural network & MCTS-like planning
- Corneil, Gerstner, Brea 2018, https://arxiv.org/abs/1802.04325 Learn abstraction with neural network & prioritized sweeping
- Nagabandi et al. 2017 https://arxiv.org/abs/1708.02596 Learn continuous dynamics in simulated robotics domain
- Weber et al. 2017 https://arxiv.org/abs/1707.06203 Learn abstraction and rollout strategy

General problem: errors accumulate in planning with imperfect model

1707.03497 ork & MCTS-like planning //arxiv.org/abs/1802.04325 ork & prioritized sweeping org/abs/1708.02596 lated robotics domain bs/1707.06203