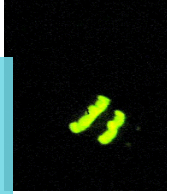
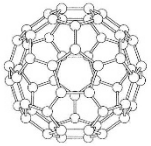
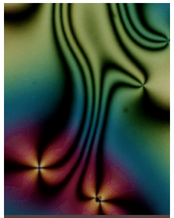
Organic materials based photovoltaics





3. Introduction (9:00-9:55)

3.1. Organic Semiconductors (10:05 – 12:30)



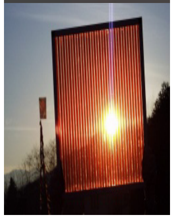
A Molecular Orbitals

B Electronic Properties

C Absorption and Fluorescence

D Exciton Theory, Energy & Electron Transfer

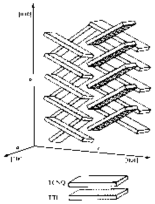
3.2. Organic and Dye Sensitized Solar Cells (13:30 – 15:15)



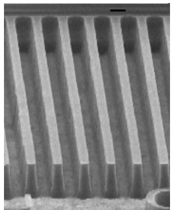
A Organic Solar Cells

B Dye Sensitized Solar Cells

3.3. Hybrid Solar Cells - Perovskites Quantum Dots (15:15-17:00)



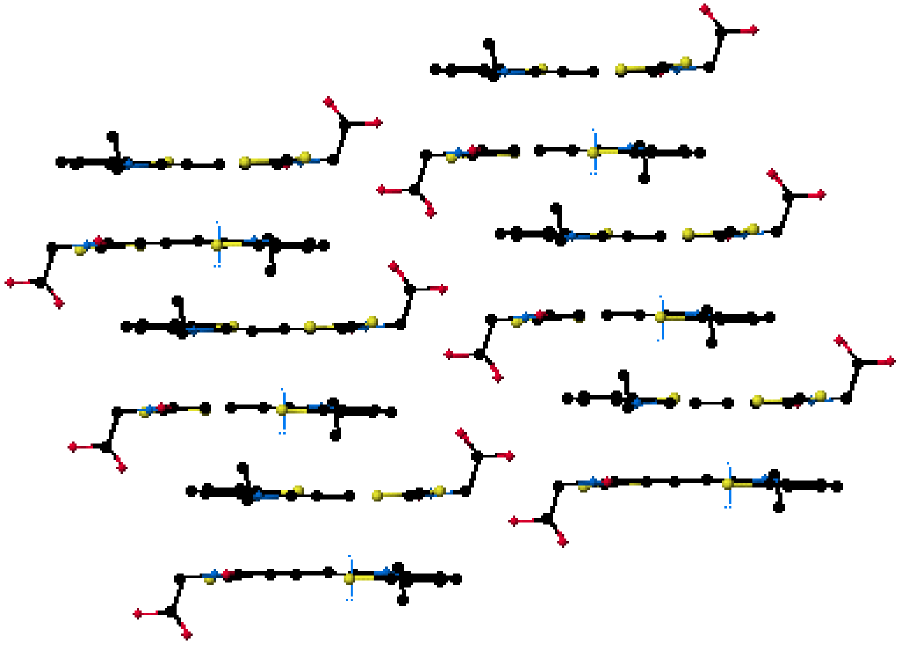
A Perovskite Solar Cells

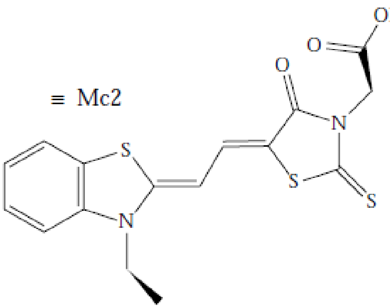


B Quantum Dot Solar Cells

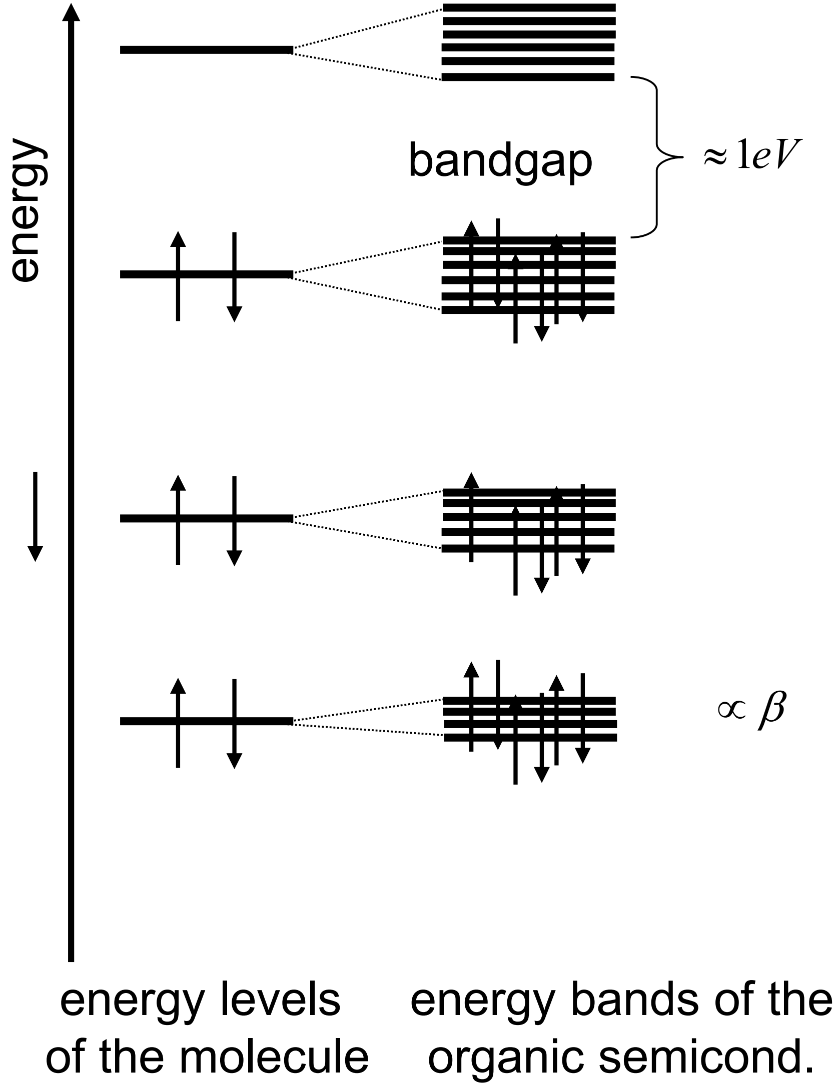
Molecular crystals?

- Electroluminescence in anthrazene single crystals (1963)
- Injected charges



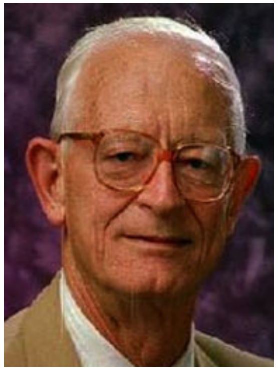


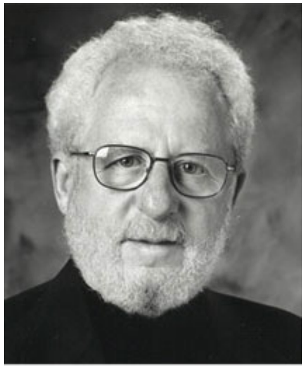
≡ Mc2



The discovery of conducting polymers 1977

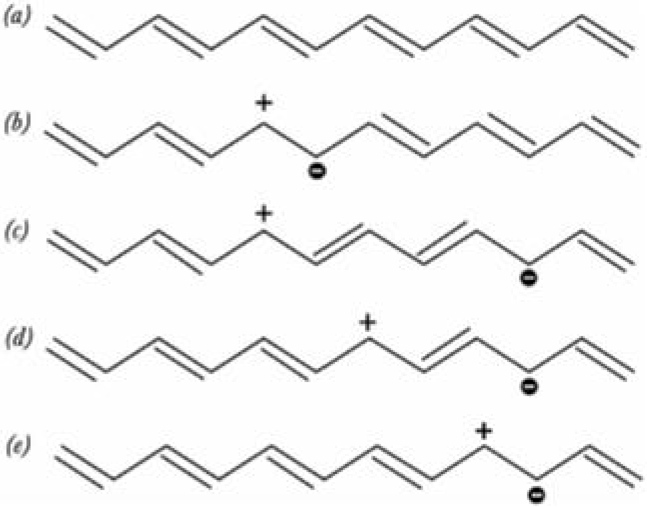

Hideki Shirakawa


Alan G. MacDiarmid


Alan J. Heeger

Nobel prize in chemistry 2000

- Polyacetylene become ***conductive upon doping***
- ***Conjugation creates an orbit*** that allows the charge carriers to move



Why organic electronics? – it is a new technology, where are the benefits?

- ***Increased Efficiency:*** New technologies often bring with them improved processes and automation capabilities
  - Low cost, mass produce by printing

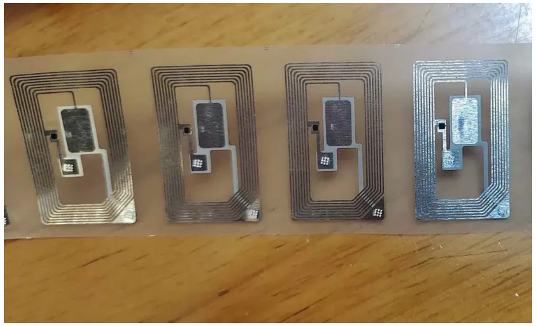
- ***Enhanced Customer Experience***
  - True for self-emissive pixels in oLEDs: broad color spectrum, fast response time, wider viewing angle, less power

- ***Market Expansion:*** new technologies can open up untapped markets and create new revenue streams
  - Polymer TFTs enable flexible displays

Flexible, printed, organic electronics

- Often used interchangeable

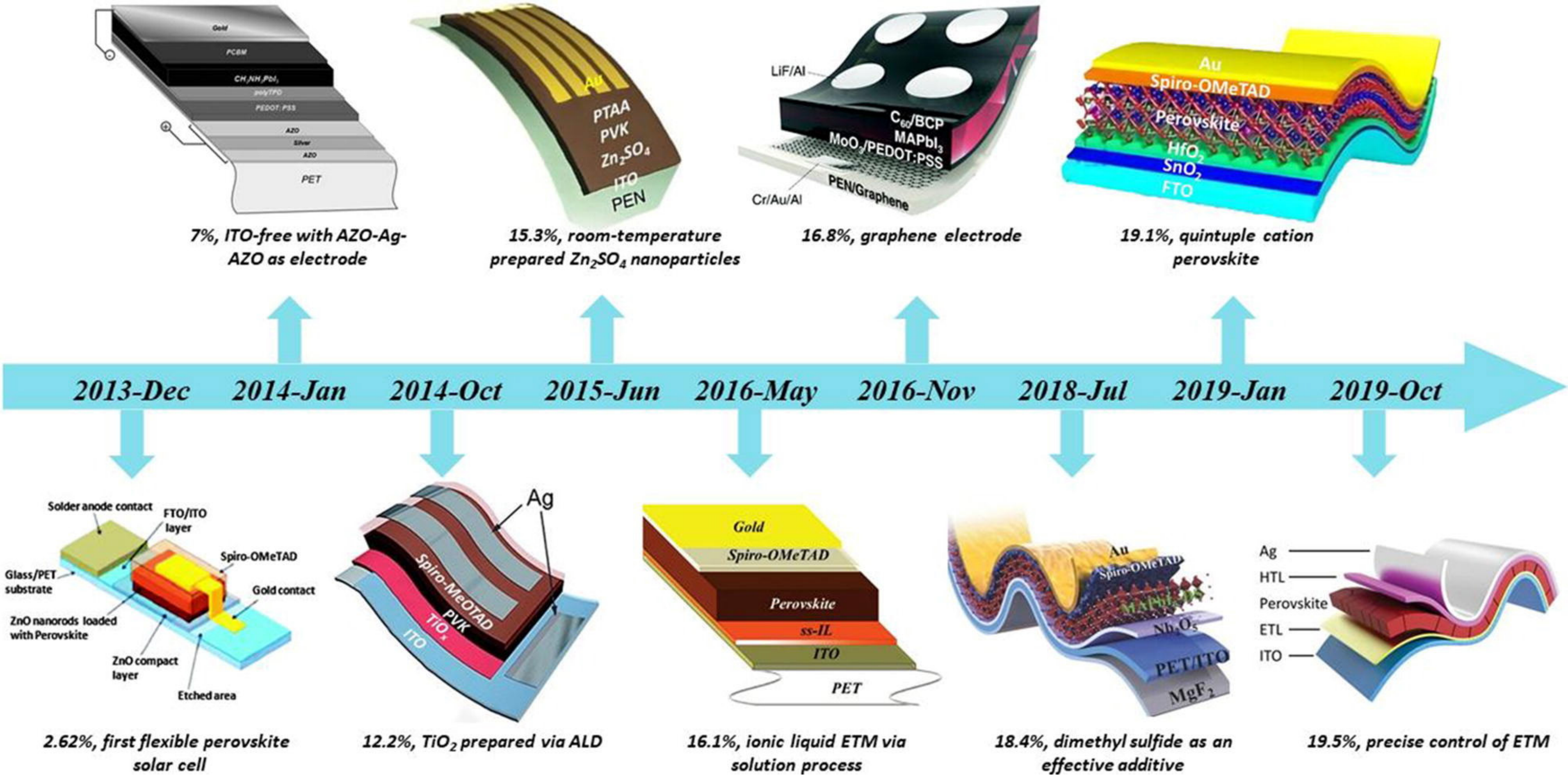
- Strictly spoken:
  - Flexible: does not need to be organic
  - Printed: does not need to be organic
  - Organic: does not need to be flexible or printed



Plastic 12-bit RFID Tag and Read-out System with Screen-Printed Antenna

oLED material evaporated onto ITO glass

Flexible, printed, organic photovoltaics



7%, ITO-free with AZO-Ag-AZO as electrode

15.3%, room-temperature prepared Zn_2SO_4 nanoparticles

16.8%, graphene electrode

19.1%, quintuple cation perovskite

2.62%, first flexible perovskite solar cell

12.2%, TiO_2 prepared via ALD

16.1%, ionic liquid ETM via solution process

18.4%, dimethyl sulfide as an effective additive

19.5%, precise control of ETM

Applications for organic printed electronics

LIGHTING & DISPLAYS

Electrochromic Displays (EC)

Organic Light Emitting Diodes (OLEDs)

Electro-luminescence (EL)

Source: olednet

Source: OSRAM

Source: prelonic

ENERGY HARVESTING

Organic Photovoltaics

Thermoelectric Generators

Source: otego GmbH

Organic Field Effect Transistors (OFETs)

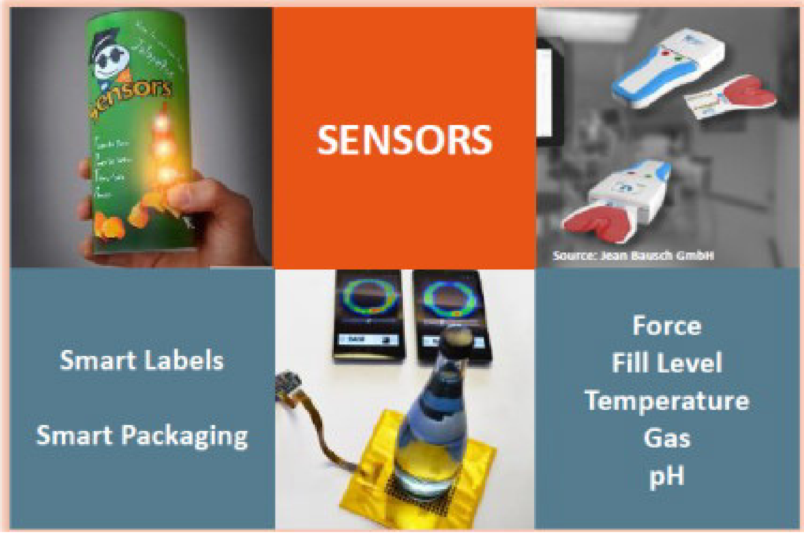
FURTHER DEVICES

Printed Batteries

Wireless Communication (RFID)

Source: BASF New Business

Source: PolyIC



SENSORS

Smart Labels

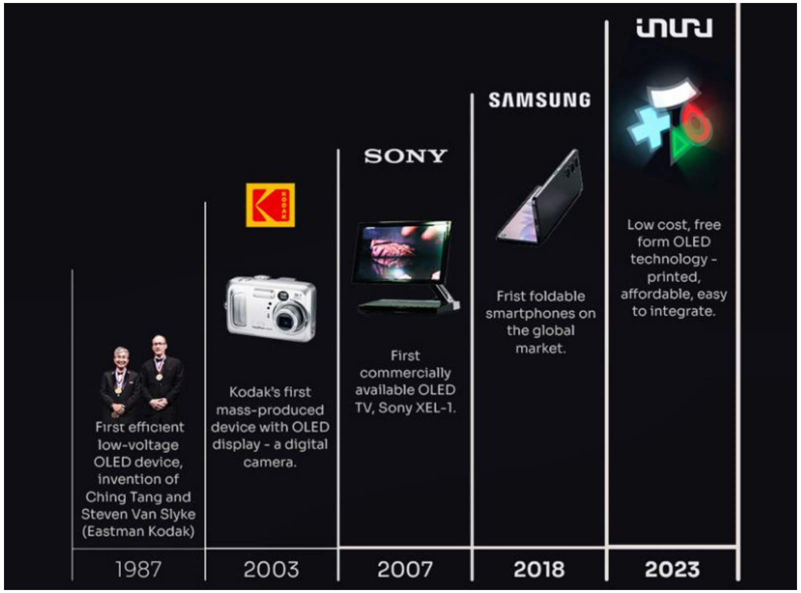
Smart Packaging

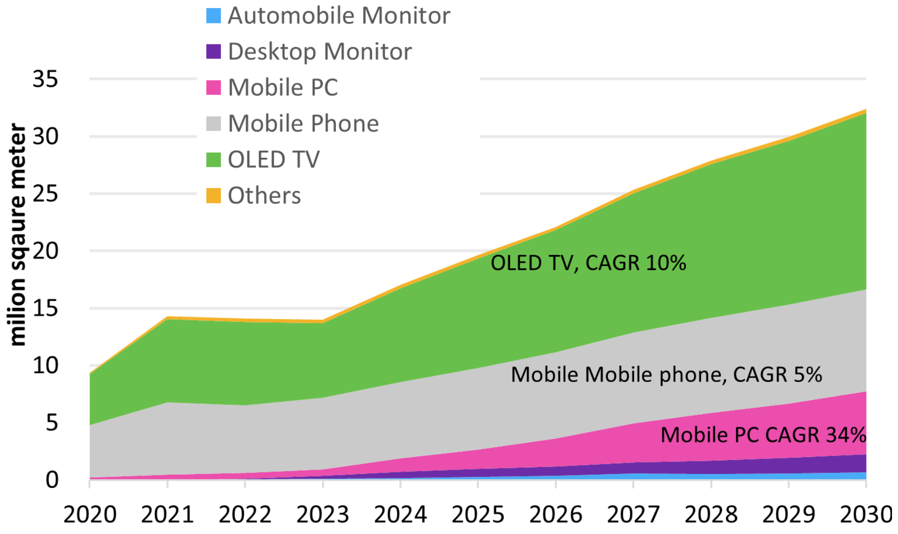
Force
Fill Level
Temperature
Gas
pH

Source: Jean Bausch GmbH

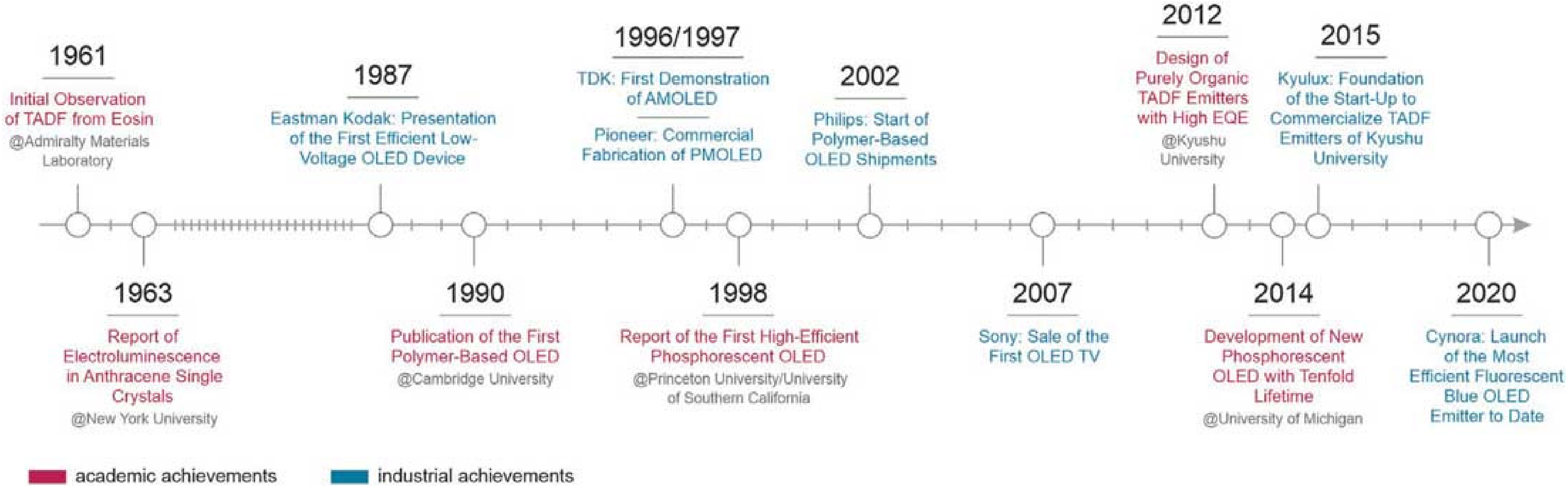
Image source: InnovationLab

Success story oLEDs

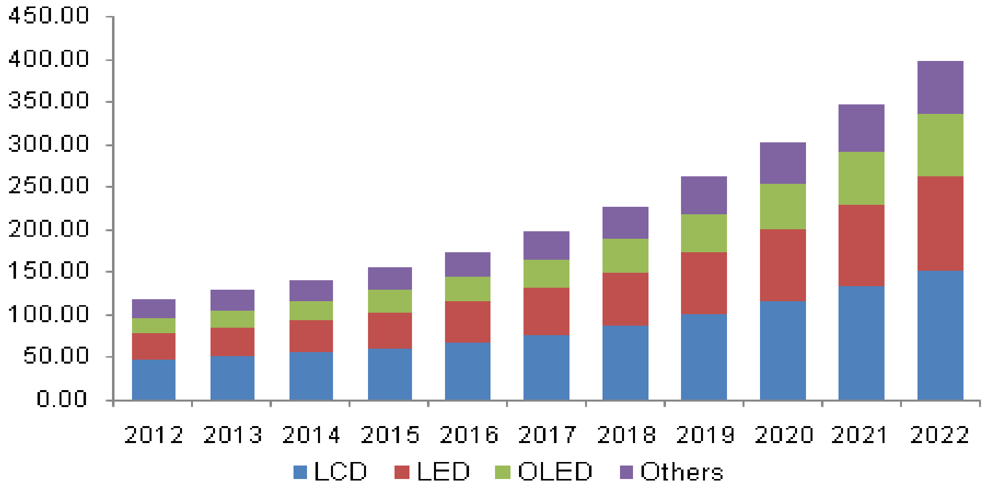




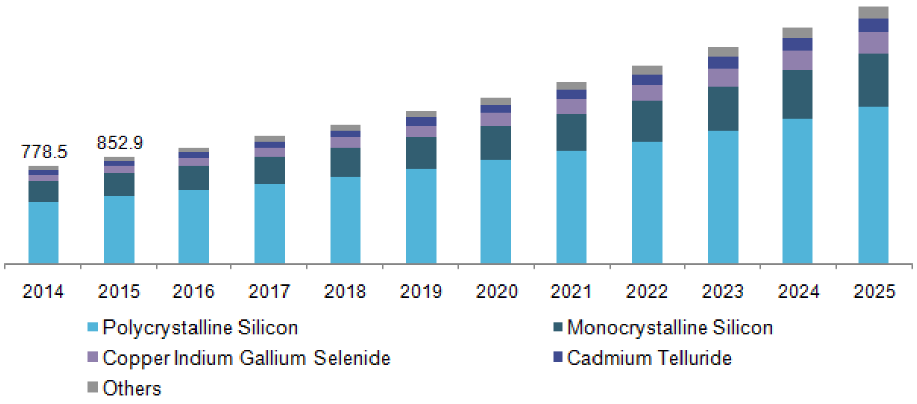
Source: Omdia, Dislay long-term demand forecast tracker



Display and Photovoltaic Market Size by Technology (Mio US $)



- ***Why oLED but no oPV?***
  - "Similar" technology
  - Same discovery time



Global PV Materials Market, 2018
Grand View Market

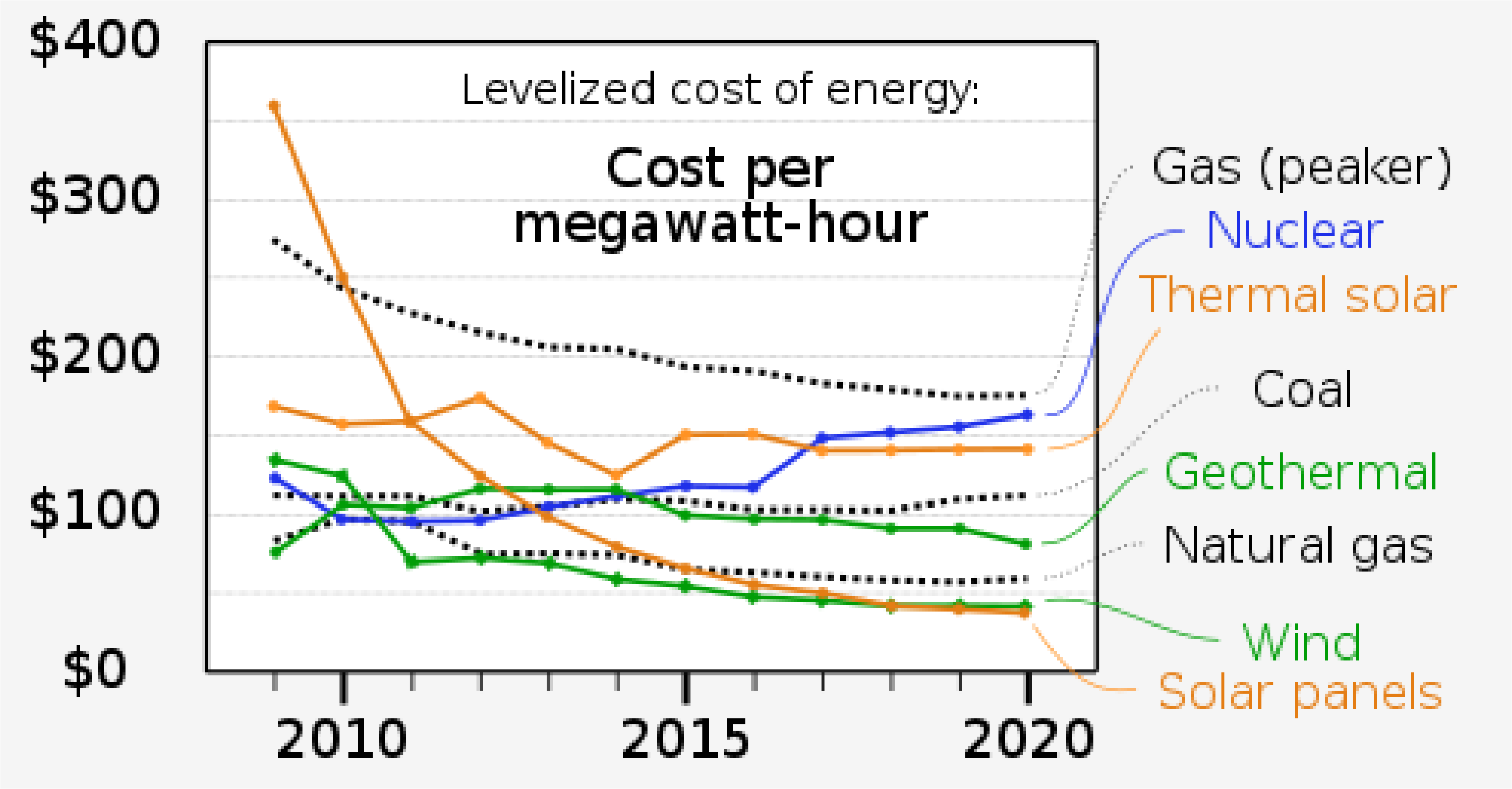
Why oLED and no oPV

- ***Obvious advantages over dominating LCD technology:***
  - Self-emissive pixels in oLEDs: broad color spectrum, fast response time, wider viewing angle, less power, can be made flexible - oPV less efficient, less stable than Si; only potential to be printable

- ***Large companies jumped in:***
  - Efforts to industrialize oPV was mainly done by Start-ups

- ***Price structure:***
  - Displays «can» be more expensive: IHS released its LCD and OLED smartphone display cost model: 5.7" 2560x1440 rigid OLED costs $18.62 to produce, a 5.7" full-display 2880x1440 LCD costs $15.39 to produce (source HIS) – oPV has to compete with the decreasing prices of Si-modules

Cost of energy



"Lazard's Levelized Cost of Energy Version 14.0" (PDF). Lazard.com. Lazard. 19 October 2020.

Why oLED and no oPV

- ***oLED started small:***
  - - oPV needs large area modules, or less attractive niche markets

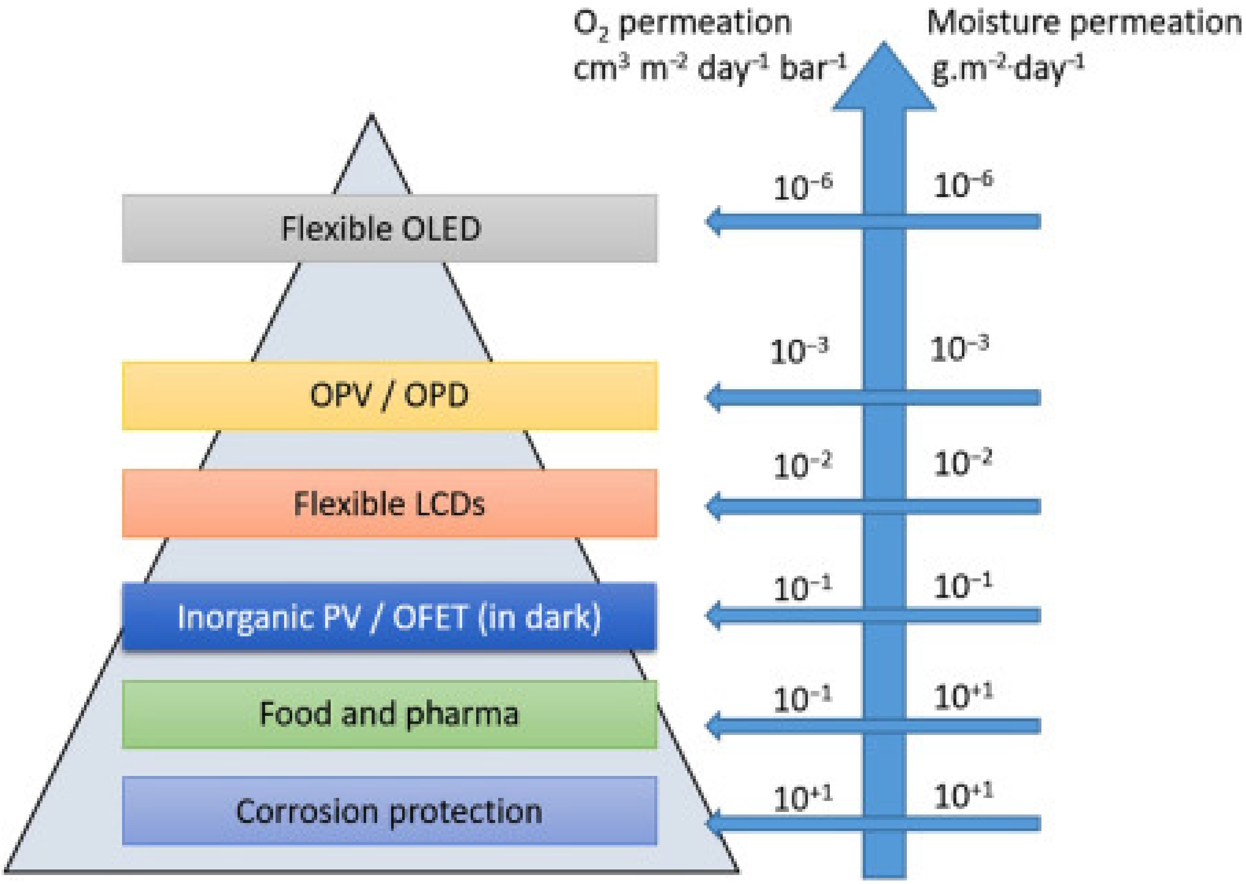
- ***Large companies jumped in:***
  - Efforts to industrialize oPV was mainly done by Start-ups

- ***Price structure:***
  - Displays «can» be more expensive: IHS released its LCD and OLED smartphone display cost model: 5.7" 2560x1440 rigid OLED costs \$18.62 to produce, a 5.7" full-display 2880x1440 LCD costs \$15.39 to produce (source HIS) – oPV has to compete with the decreasing prices of Si-modules

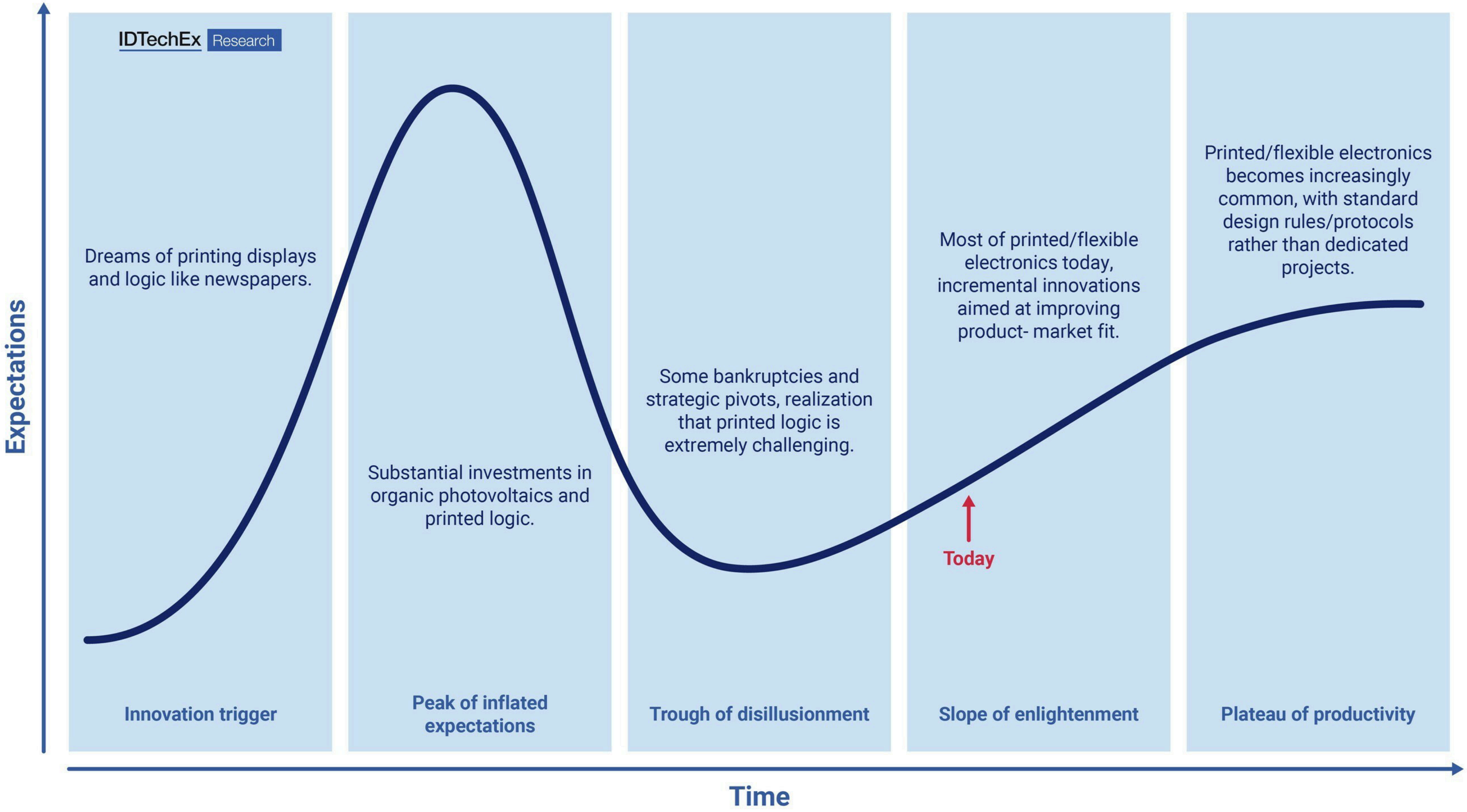
- ***Exposure to harsh environmental conditions:***
  - Displays not really exposed

Where oPV can profit from oLED research

- ***Acceptable levels of exposure to water vapour and oxygen is much smaller in oLEDs than in oPV***



Gartner Hype Cycle



Innovation trigger

Dreams of printing displays and logic like newspapers.

Peak of inflated expectations

Substantial investments in organic photovoltaics and printed logic.

Trough of disillusionment

Some bankruptcies and strategic pivots, realization that printed logic is extremely challenging.

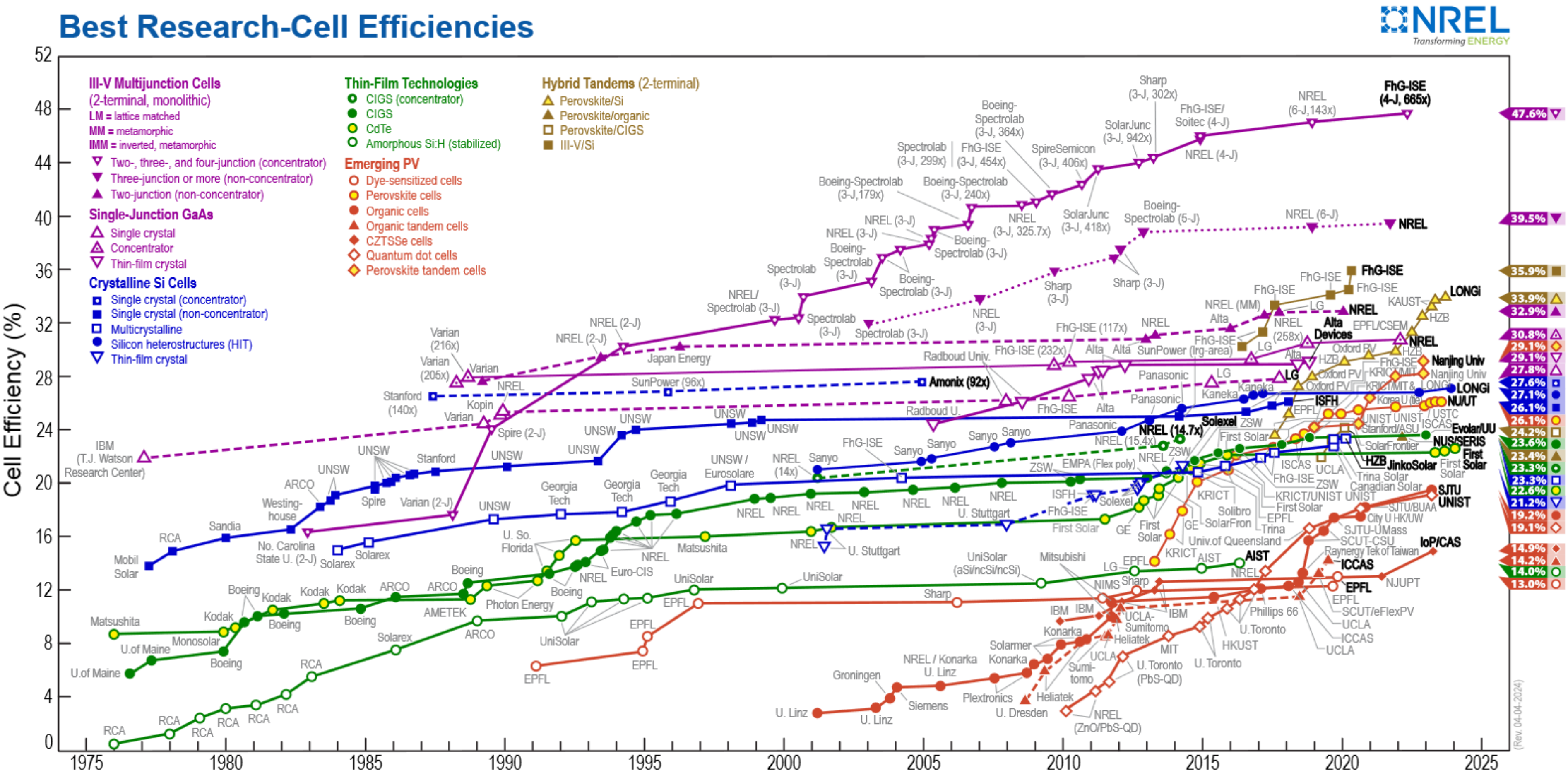
Slope of enlightenment

Most of printed/flexible electronics today, incremental innovations aimed at improving product- market fit.

Plateau of productivity

Printed/flexible electronics becomes increasingly common, with standard design rules/protocols rather than dedicated projects.

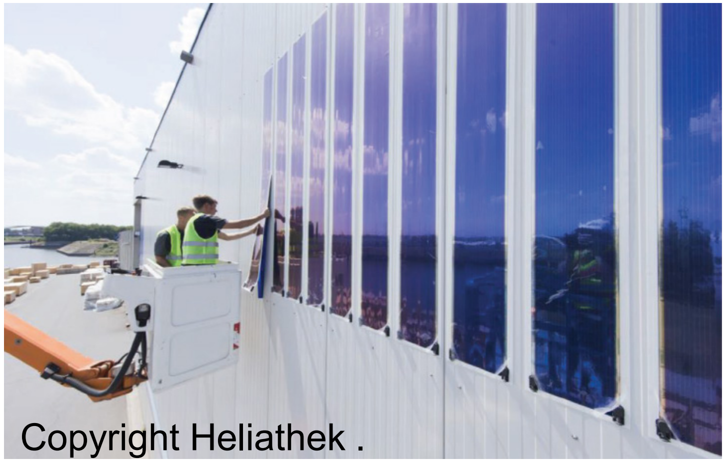
Best Research-Cell Efficiencies



Solar cell efficiency **refers to the portion of energy in the form of sunlight that can be converted via photovoltaics into electricity by the solar cell**.

oPV – the path to commercial success

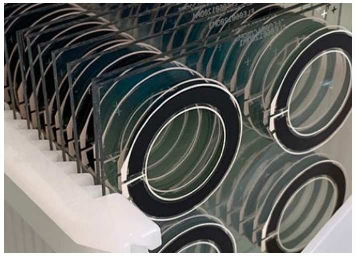
- Today: ***cannot beat the price*** of silicon photovoltaics, today's solutions are not yet printed (but evaporated)
- ***Efficiency*** is important, allows to bring \$/W down
- Can serve ***niche markets*** (5% of photovoltaics market), light weight building integrated photovoltaics, semitransparency in windows)


Copyright Heliathek .

- Much lower ***carbon footprint*** (5–9 g CO_2 / kWh, a factor of 10 lower than for Silicon photovoltaics)

Perovskite solar cells – the path to success

- Today: ***cannot beat the price*** of silicon photovoltaics
- Still ***issues*** with ***stability, module efficiency, manufacturing***
- ***Niche markets*** (5% of photovoltaics market):
  in-door applications



http://perovskia.solar.com

- Si-Perovskite tandem cells

www.oxfordpv.com

Photosynthesis – the principle

With the help of ***light absorbing molecules***, ***light energy*** is converted in ***chemical energy***

$$6\,CO_2 + 12H_2O \xrightarrow{h\nu} C_6H_{12}O_6 + 6O_2 + 6H_2O$$

Photosynthetic organisms use ***solar energy*** to ***synthesize carbon compounds*** that cannot be formed without the input of energy

$$CO_2 + H_2O \xrightarrow{h\nu} CH_2O \;+ O_2 \qquad \Delta G^0 = 478\,\text{kJ/mol}\,CO_2$$

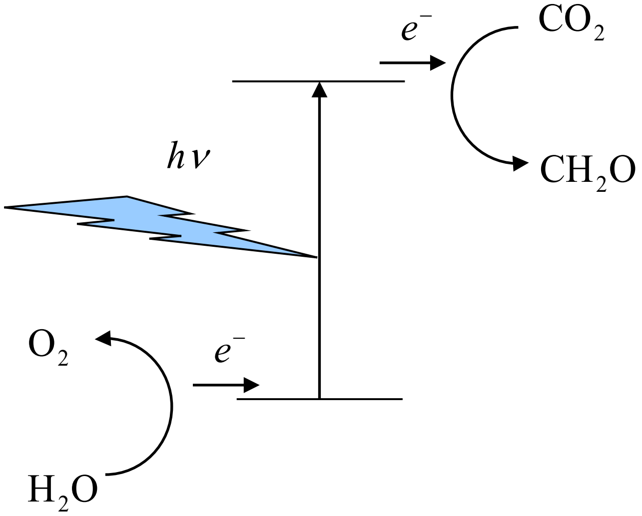
Photosynthesis – light reaction

Overall process of photosynthesis is a ***redox*** chemical reaction

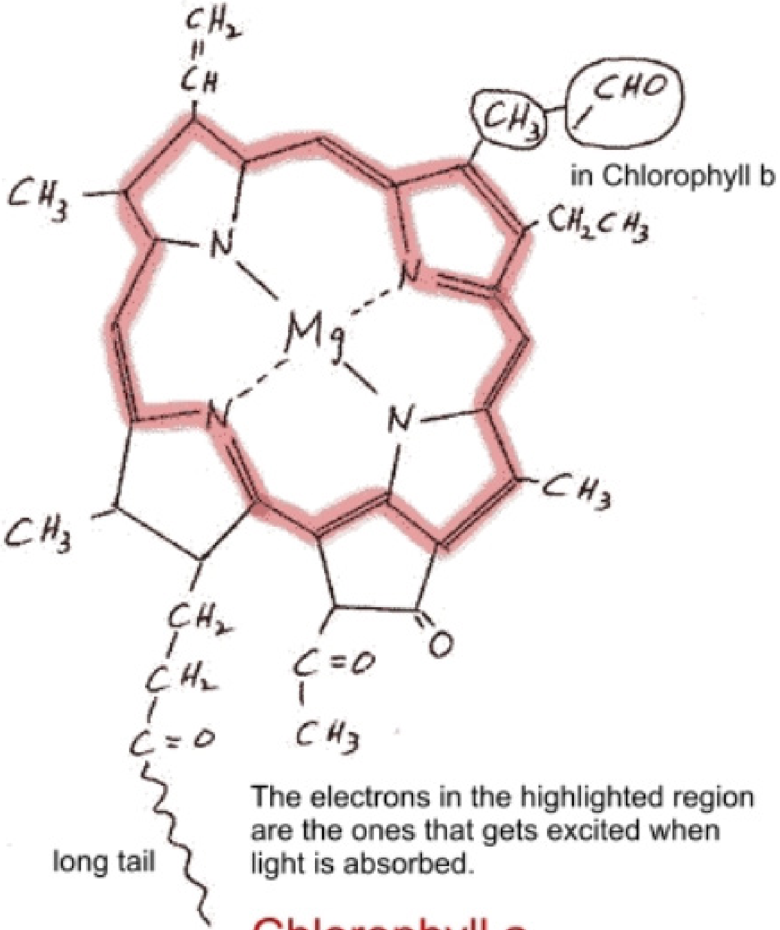
Electrons are removed from water (***oxidation***) and added to CO_2 (***reduction***)

When chlorophyll ***absorbs energy*** from sunlight, an electron in the chlorophyll ***molecule is excited*** from a lower to a higher energy state

Electron transport chain:
Chain of molecules that easily accept and donate electrons



Organic semiconductors ≠ biomaterials



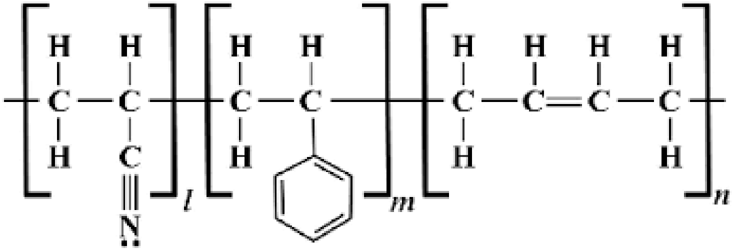
The electrons in the highlighted region are the ones that gets excited when light is absorbed.

Chlorophyll a

Organic compounds

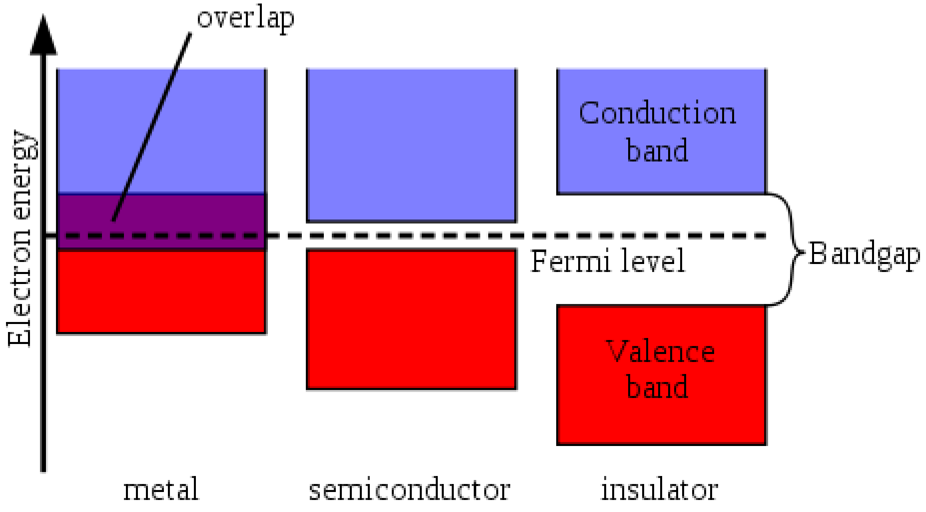
- are any chemical compounds that contain ***carbon-hydrogen bonds***. Due to carbon's ability to catenate (form chains with other carbon atoms), millions of organic compounds are known

- Generally they are ***electrical insulators.***



Acrylonitrile butadiene styrene (ABS)

Band gap – Optical properties and more…



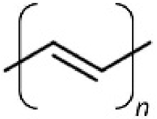
- Metals: ***charge carriers*** in ***conduction band*** (=«band» of electron orbitals)

- Semiconductors: electrons can be thermally excited into the conduction band

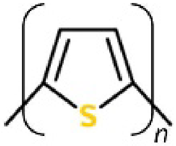
- Insulators: Bandgap > 4 eV

Conducting polymers

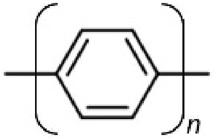
- Synthesize individual soluble building blocks that absorb in the visible domain



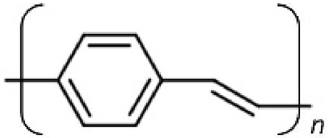
Polyacetylene



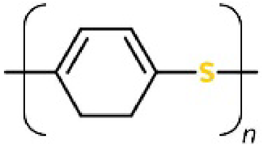
Polythiophene



Poly(*p*-phenylene)



Poly(*p*-phenylenevinylene)



Poly-*p*-phenylene-sulphide

- Solution processable, printable

Semiconductor properties

- Depend on the very nature of the semiconducting materials
- Dictated by the interaction between constituting building blocks (atoms or molecules).
- Depend on the structure of the material (crystalline, amorphous, disordered)

	Inorganic SC	Organic SC
Absorption (cm^{-1})	10^3-10^4 (Si) 10^4-10^5 (GaAs)	10^5-10^6 (fluorescent dyes) 10^4-10^5 (CT compounds, Triplet emitters)
Charge carrier mobility ($cm^2\ V^{-1}\ s^{-1}$)	c-Si: 1500 (e^-), 450 (h^+) GaAs: 8500 (e^-),400 (h^+) a-Si: 1	c-anthracene:1.6(e^-), 1.2 (h^+) c-fullerene C_{60}:1.1(e^-),1.0 (h^+) amorphous OSC: 10^{-5} to 10^{-3}
	Rely on existing materials and doping	Adapt properties by custom synthesizing materials

Summary

- ☐ Part of the emerging field of printed/organic electronics
- ☐ Difference in properties between inorganic and organic SCs has significant influence on the working principle of organic solar cells.

Printed oLED displays

BUSINESS

Japan enters display fray with world's first printed OLED panels

JDI

Japan Display Inc.

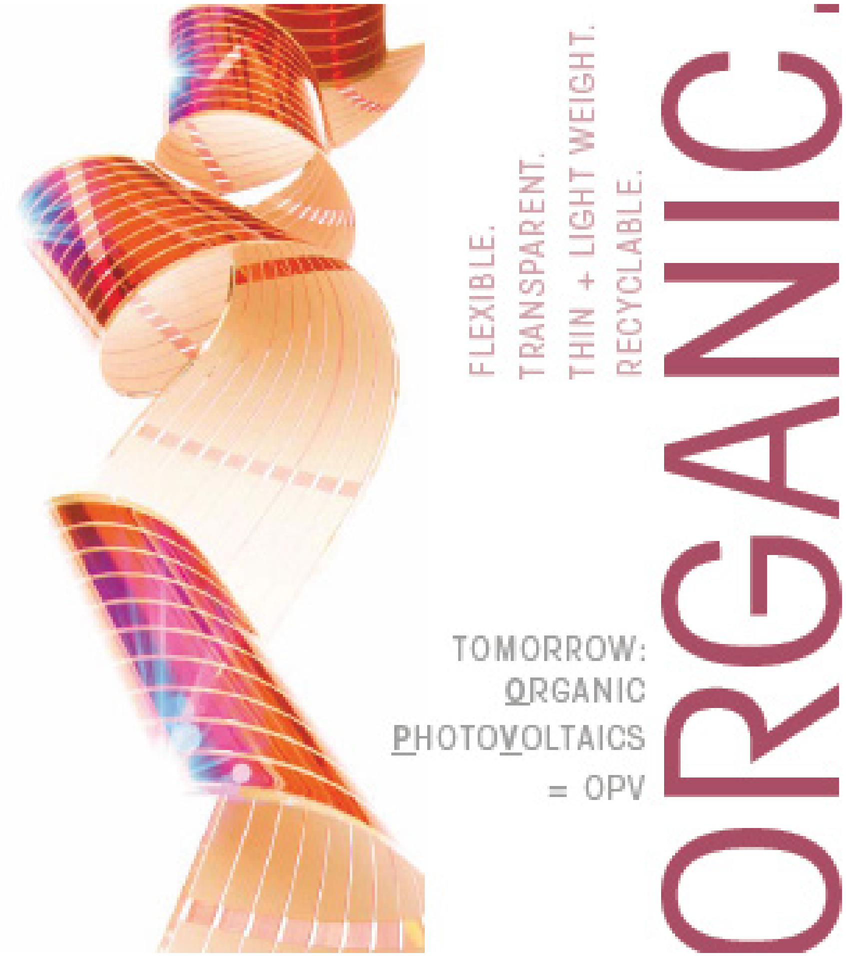
SONY

HITACHI

TOSHIBA

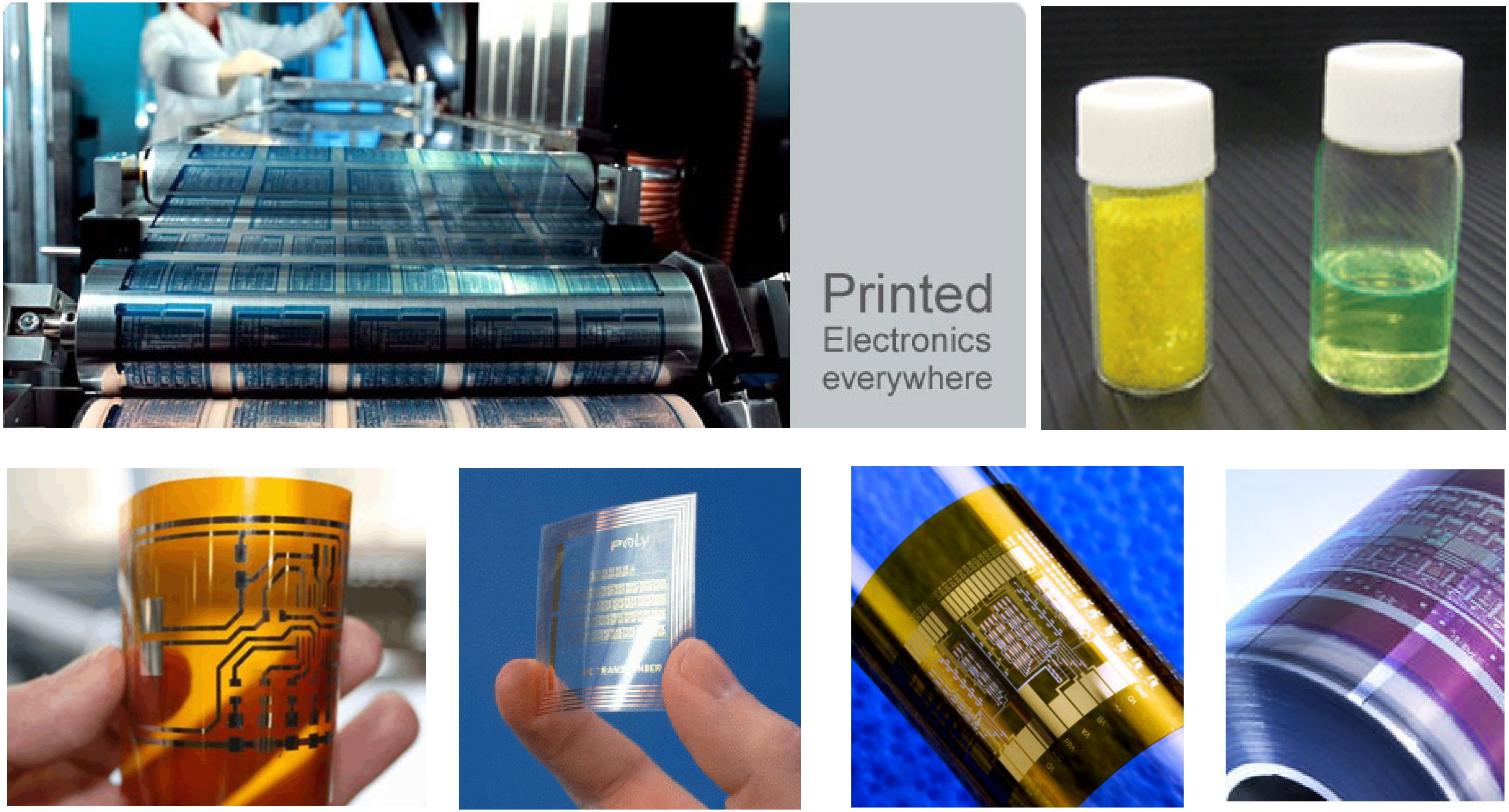
TCL

Organic Photovoltaics (oPV)

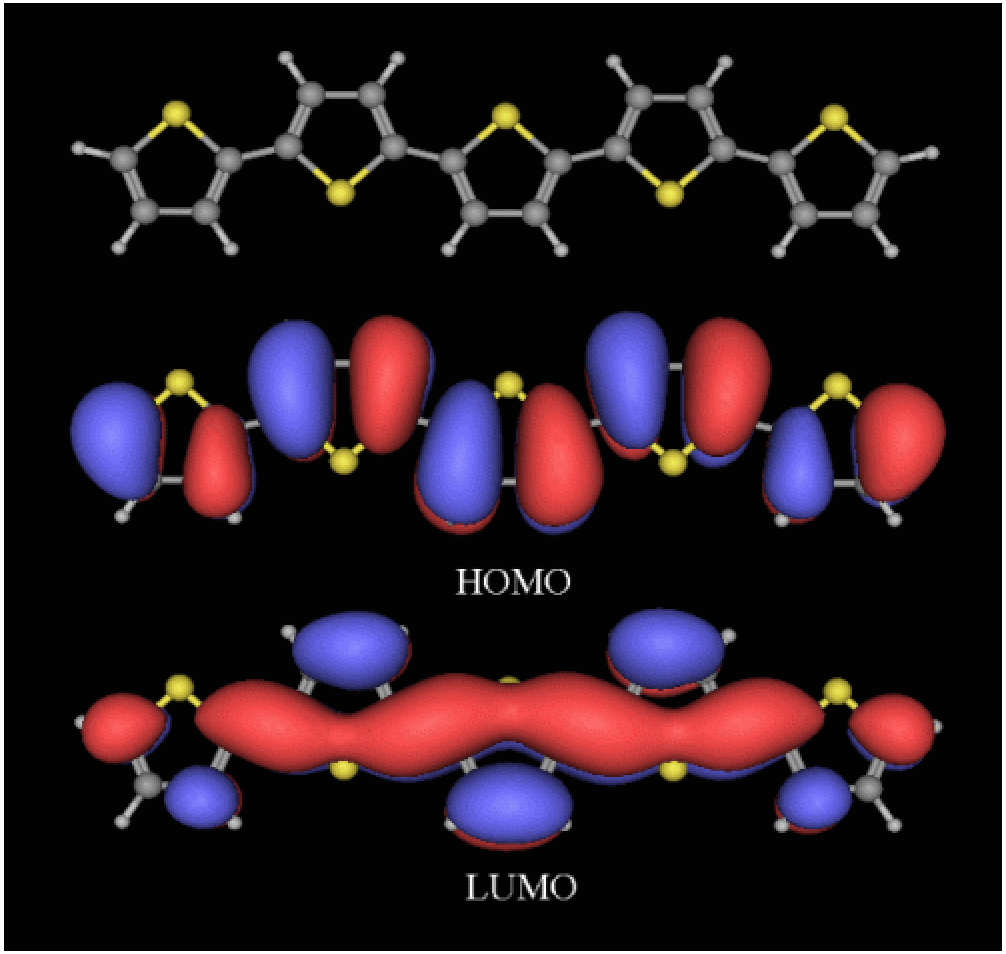


source: Belectric GmbH

Thin film devices with polymer semiconductors:



3.1A Molecular Orbitals



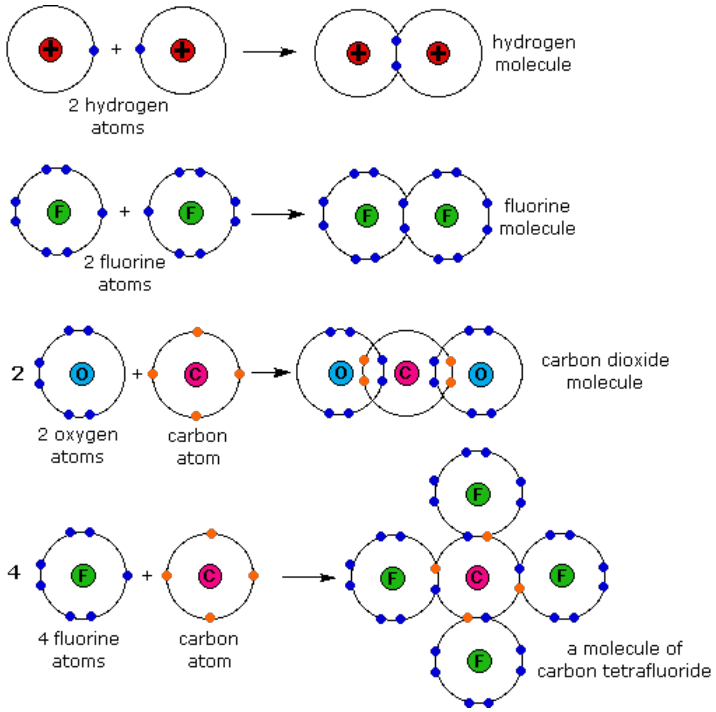
3.1A Molecular Orbitals

Learning goals

- ☐ What is the ***origin of electrical conductivity*** in ***organic carbon compounds***?
    - ☐ What is an ***orbital*** ? Quantum mechanical description
    - ☐ How can you describe the ***electronic wavefunction of molecules (molecular orbitals, hybrid orbitals)***
    - ☐ ***Resonance transfer integral***

Chemical bonds – Lewis structure

- ❑ The formation of ***molecules*** is build upon ***covalent bonds***
- ❑ The covalent bond involves the ***sharing of electron pairs*** between atoms, the ***balance between attractive & repulsive forces*** will lead to bonding

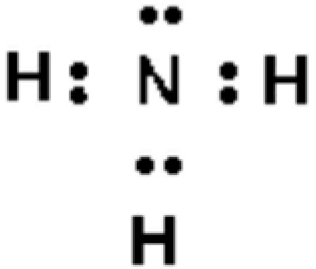


- ❑ Shared electron pairs provides an effective ***qualitative picture*** of covalent bonding
- ❑ For many molecules, the sharing of electrons allows each atom to attain the ***equivalent of a full valence shell***, corresponding to a stable electronic configuration

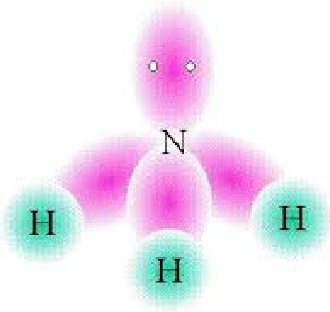
https://www2.chemistry.msu.edu/faculty/reusch/VirtTxtJml/intro2.htm

What is an orbital and why are they important for organic semiconductors?

- ***Lewis structures*** are diagrams that show the bonding between atoms of a molecule, as well as the lone pairs of electrons that may exist in the molecule
- An ***orbital*** is a ***one electron wavefunction*** that describes the probability to find the electron at a certain location.
- The use of orbitals therefore is a good approximation to describe the electronic structure of a complex multi-electron system.



Lewis structure



sp^3 hybrid orbital

Quantum mechanical description

Time–dependent many–body Schrödinger equation with electrons at positions $\vec{r} = (r_1, r_2, \dots r_N)$ and nuclear positions $\vec{R} = (R_1, R_2, \dots R_M)$:

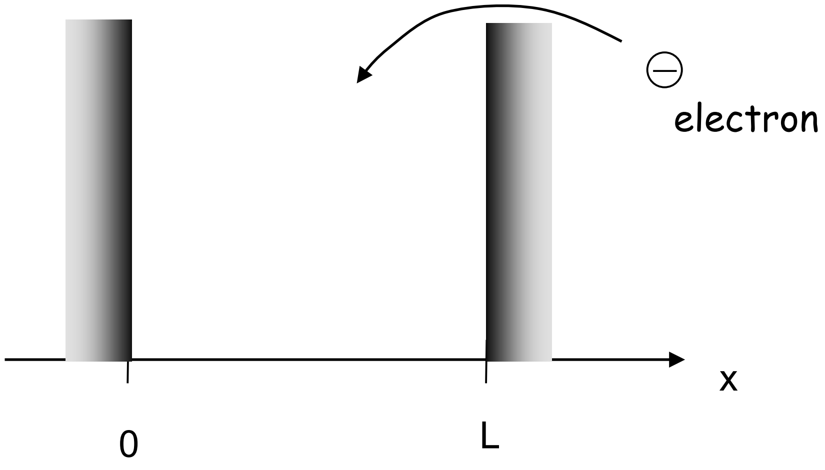
$$\hat{H}\psi(\vec{r}, \vec{R}, t) = i\hbar \frac{d\psi(\vec{r}, \vec{R}, t)}{dt}$$

Time independent Hamiltonian $\hat{H}$ (stationary states):

$$\psi(\vec{r}, \vec{R}, t) = \psi(\vec{r}, \vec{R}) e^{-iEt/\hbar} \qquad \hat{H}\psi(\vec{r}, \vec{R}) = E\ \psi\left(\vec{r}, \vec{R}\right)$$

Electronic wavefunctions only: $\hat{H}\psi^{el}(\vec{r}) = E\ \psi^{el}(\vec{r}\,)$

The particle in a box - a simple model of an atom



Calculate the energy levels and wavefunctions for one electron:

$$-\frac{\hbar^2}{2m}\frac{d^2}{dx^2}\psi(x) = E\psi(x)$$

Solutions are standing waves:

$$\psi(x) = Ae^{ikx} + B^{-ikx}$$

Boundary conditions (probability to find particle = 0)

$$\psi(0) = 0 \rightarrow 0 = A + B \rightarrow B = -A$$

$$\Rightarrow \psi(x) = Ae^{ikx} - Ae^{-ikx} = A2i\sin kx = A'\sin kx$$

$$\psi(L) = 0 \quad \rightarrow \quad A'\sin(kL) = 0 \quad \rightarrow \quad k = n\frac{\pi}{L} \text{ with } \quad n = 1,2,3...$$

$$\Rightarrow E = \frac{\hbar^2\pi^2 n^2}{2mL^2} = \frac{h^2 n^2}{8mL^2} \rightarrow n = 1,2,3...$$

$$\Rightarrow \psi = A'\sin\left(\frac{n\pi}{L}x\right) \qquad \text{with} \qquad A' = \sqrt{\frac{2}{L}}$$

Normalisation of ψ:

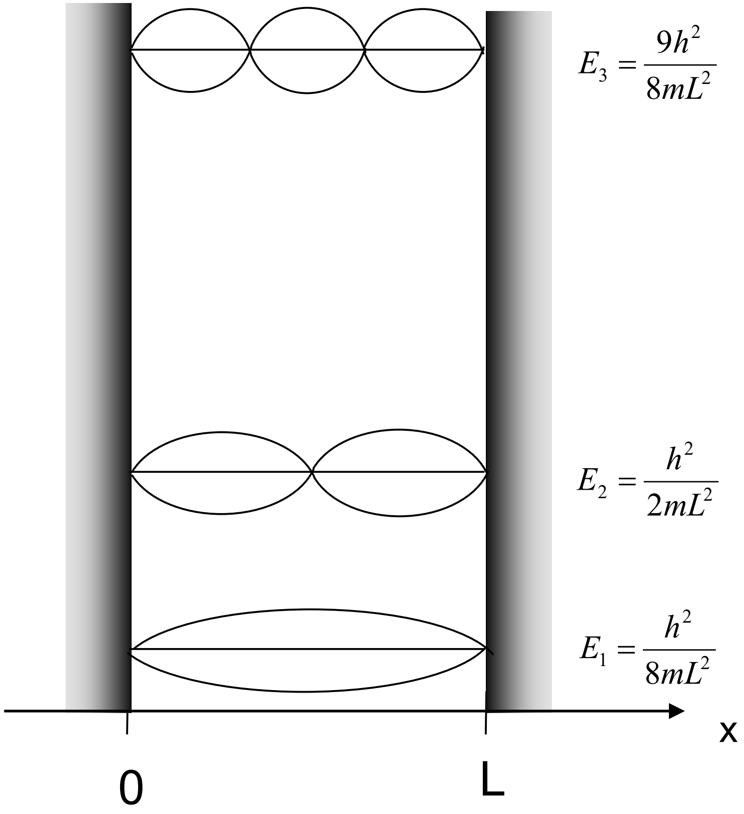
$$1 = \int_0^L \psi^*\psi = A'^2\int_0^L \sin^2 kx dx = A'^2 \underbrace{\int_0^L \sin^2\left(\frac{n\pi}{L}x\right)dx}_{\frac{1}{2}L} = A'^2\frac{L}{2}$$

$$\Rightarrow A' = \sqrt{\frac{2}{L}}$$

Solutions of the particle in a box problem are standing waves:

Respecting the Pauli principle (“if two electrons, or in general Fermions, occupy the same electron orbital, they must have different spin states”, i.e. up and down, respectively)

$$\Rightarrow \psi = A'\sin\left(\frac{n\pi}{L}x\right) \qquad \text{with} \qquad A' = \sqrt{\frac{2}{L}}$$



ψ is the particle wavefunction.

The probability amplitude. $|\psi(x)|^2dx$

is the probability of finding the

particle between x and x+dx

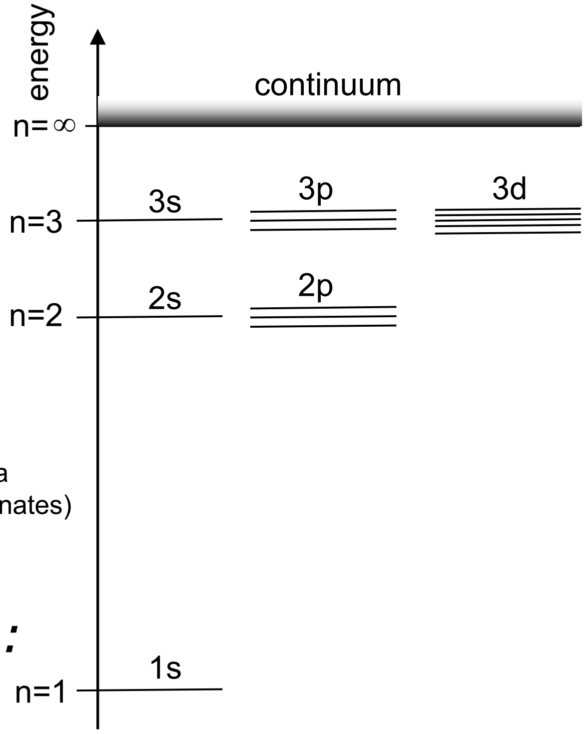
H-atom orbitals

exact analytical solution can be developed by solving:

$$-\frac{\hbar^2}{2m}\left(\frac{\partial^2}{\partial x^2}+\frac{\partial^2}{\partial y^2}+\frac{\partial^2}{\partial z^2}\right)\psi(x,y,z)-\frac{e^2}{4\pi\varepsilon\varepsilon_0\sqrt{x^2+y^2+z^2}}\psi(x,y,z)=E\psi(x,y,z)$$

This problem is solved using polar coordinates.

$$E_n=-\frac{13.6\,eV}{n^2}$$



The hydrogen atom wavefunctions are given by:

$$\psi_{n,l,m}(r,\theta,\phi)=R_{n,l}(r)\cdot Y_l^m(\theta,\phi)$$

(Legendre polynomials as a function of spherical coordinates)

Meaning of the different quantum numbers *n, l, m:*

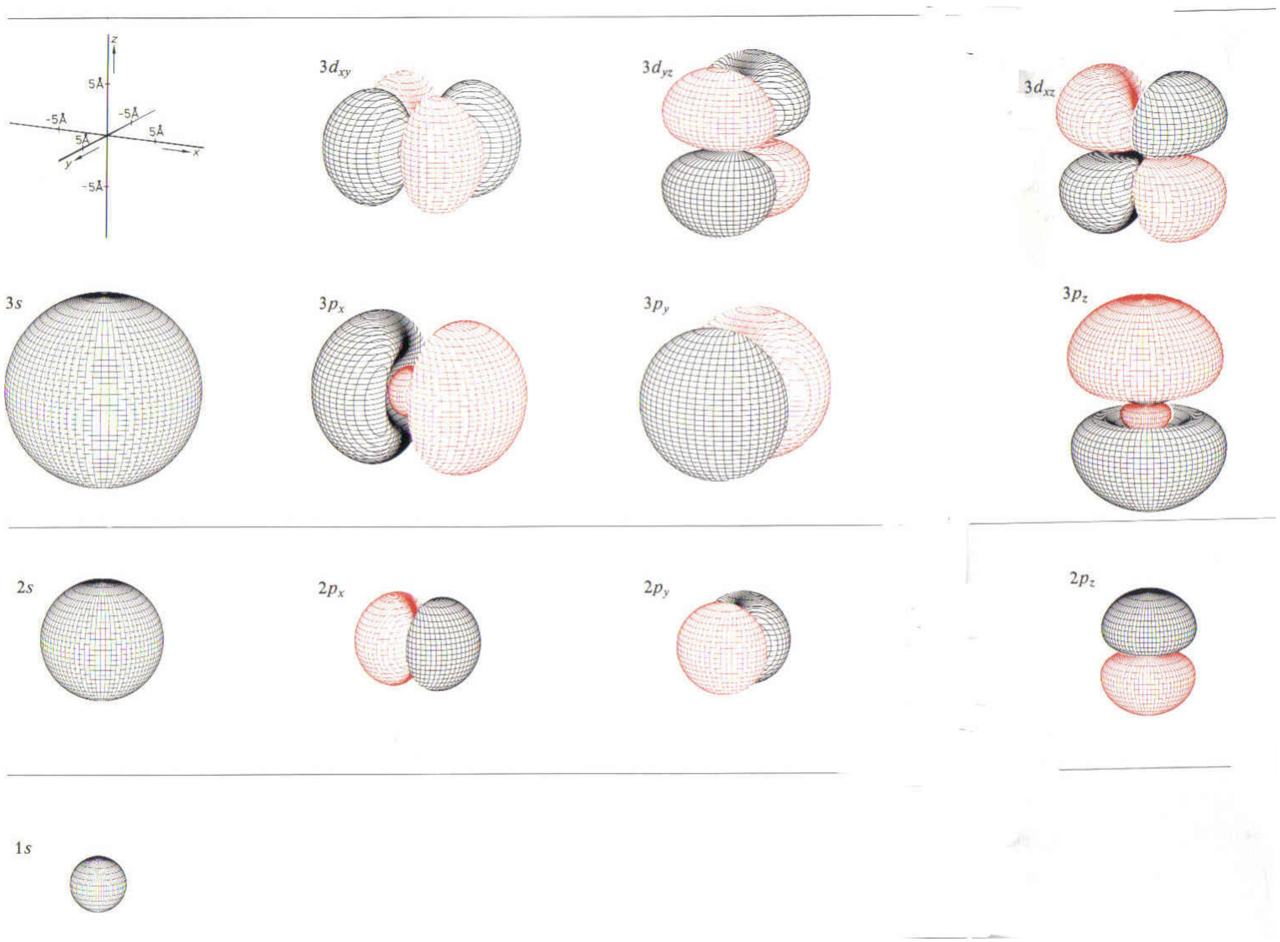
n = 1, 2, 3, … principal quantum

l = 0, 1, 2, 3, …, *n*-1 azimuthal quantum number

m = *l*, *l* -1, *l* -2, ,0,…. – *l* magnetic quantum number

H-atom orbitals

The orbital here is defined as the volume where the probability of finding the electron is 90%



Molecular orbital theory

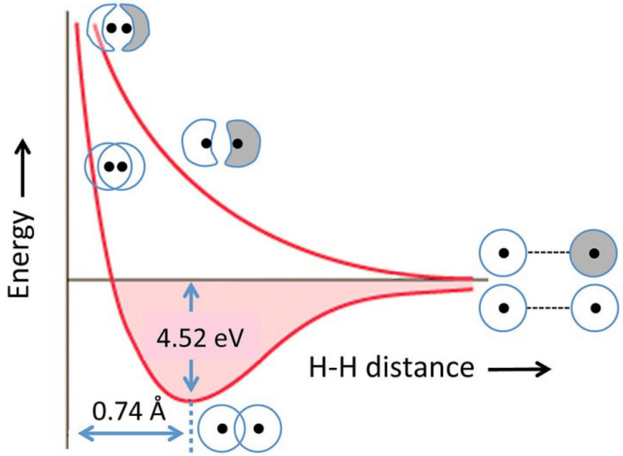
- ☐ Only for the H-atom an analytical solution for the orbitals can be found
- ☐ Neglect interactions between electrons = reduce a many-electron problem to many one-electron problems
- ☐ Molecular orbital theory revolutionized the study of chemical bonding by approximating the states of bonded electrons—the molecular orbitals—as linear combinations of atomic orbitals (LCAO):

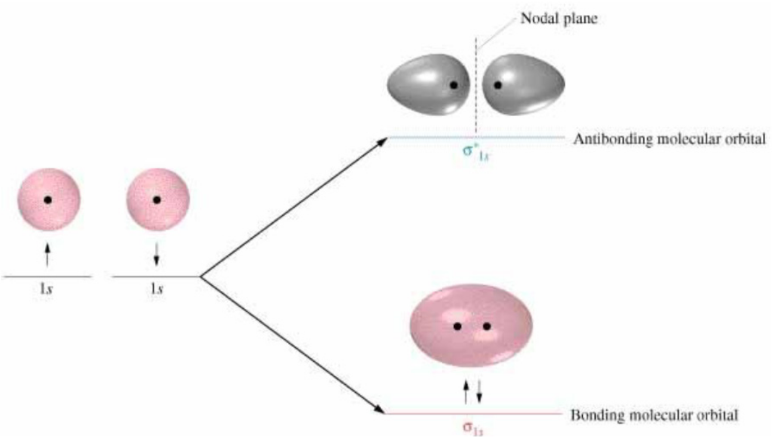
$$\psi_j \approx \prod_i c_{ij}\varphi_i$$

φ_i := atomic orbitals

Building molecules from atoms – hydrogen molecule

- ❑ ***Apply the concept of orbitals*** (which was the key to the understanding of the electronic structure of atoms) ***to molecules***.

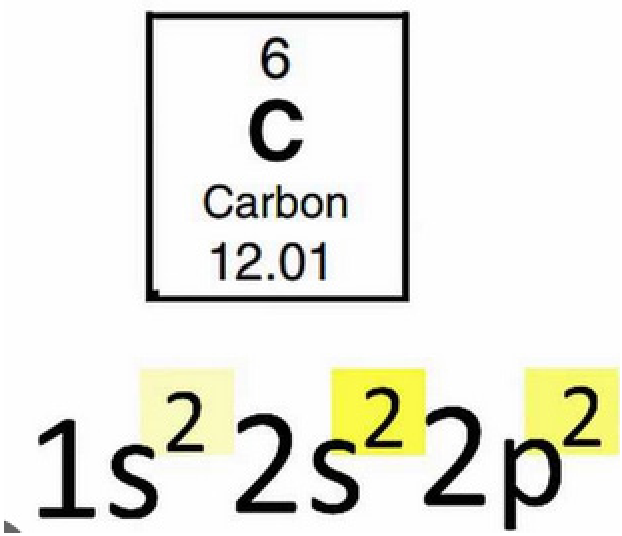


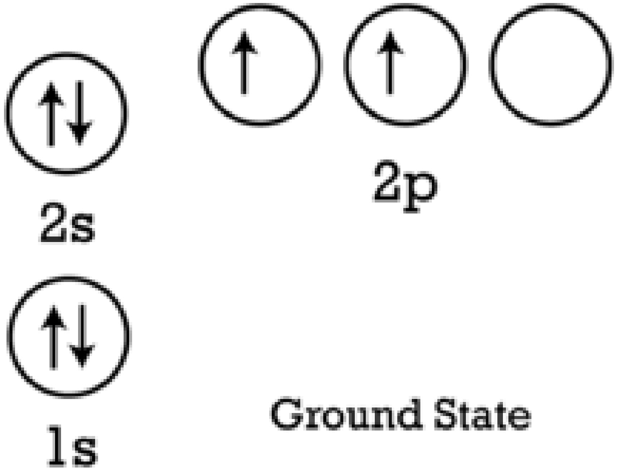


- ❑ Molecular orbitals are obtained by combining the atomic orbitals
- ❑ In the hydrogen molecule you can construct in-phase and out-of-phase combinations of H 1s orbitals
- ❑ Leading to bonding (σ) or antibonding (σ*) orbitals

Molecular orbitals of the second energy level

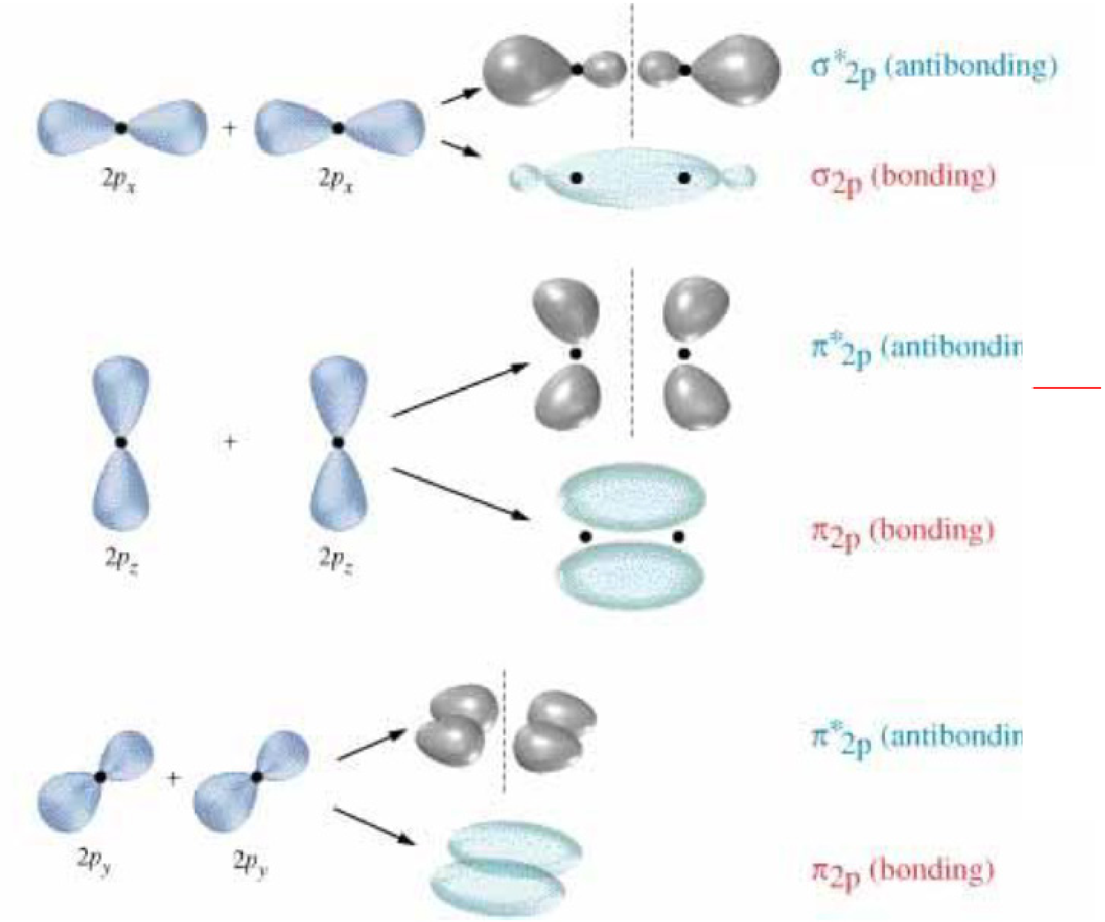
- These are the ones of interest when looking at organic molecules

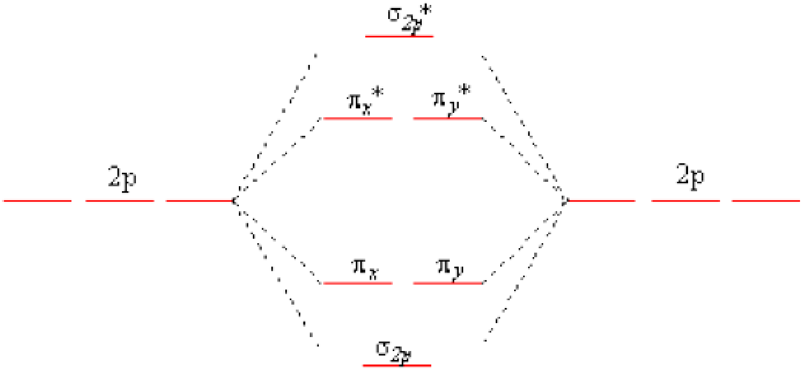




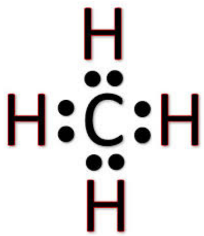
Molecular orbitals of the second energy level

- Pi (π) bonds are weaker and are due to lateral overlap between p (or d) orbitals



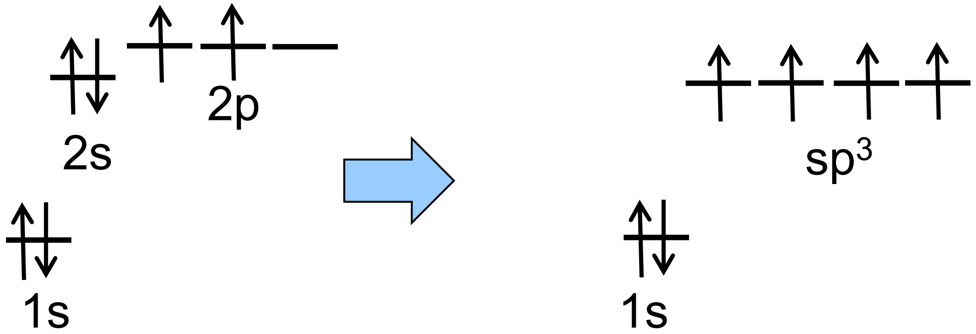


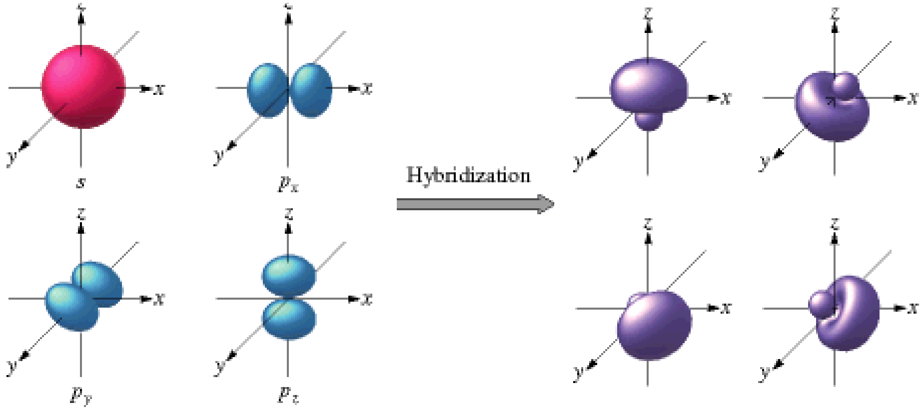
Building molecules from atoms – sp³ hybridization

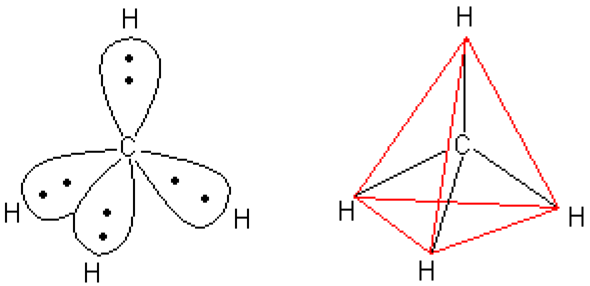


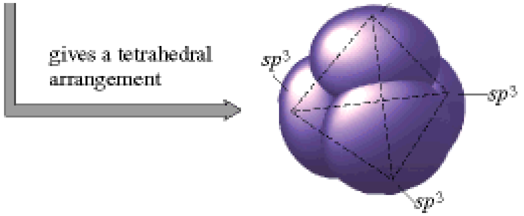
Methane

≠

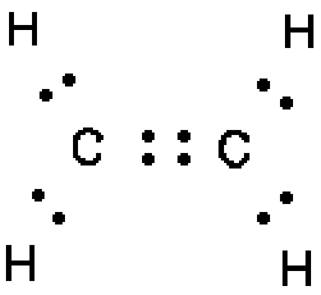




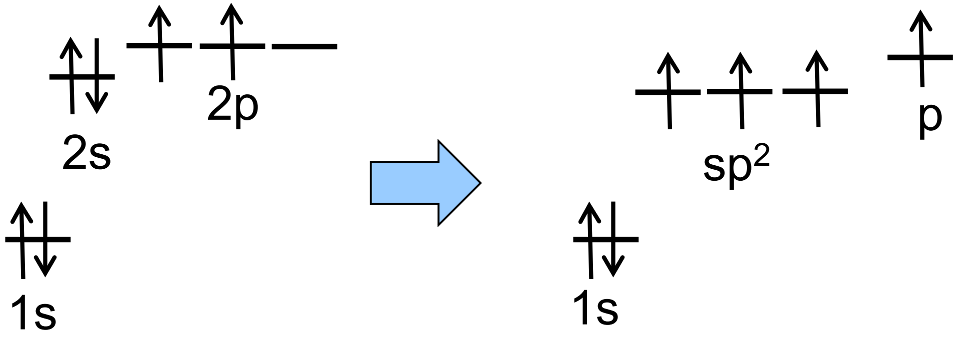


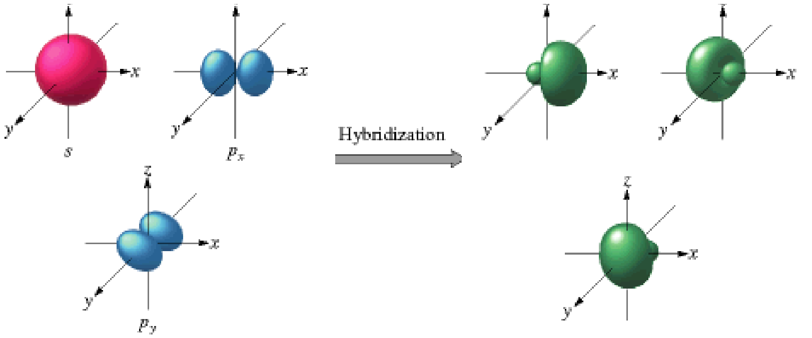


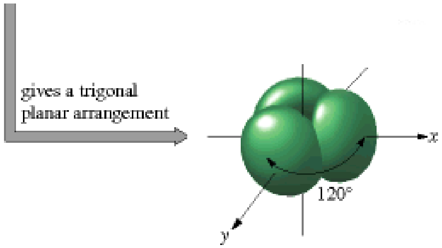
Building molecules from atoms – sp^2 hybridization

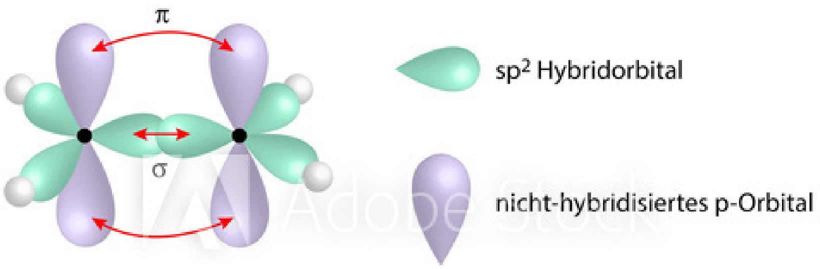


Ethylene





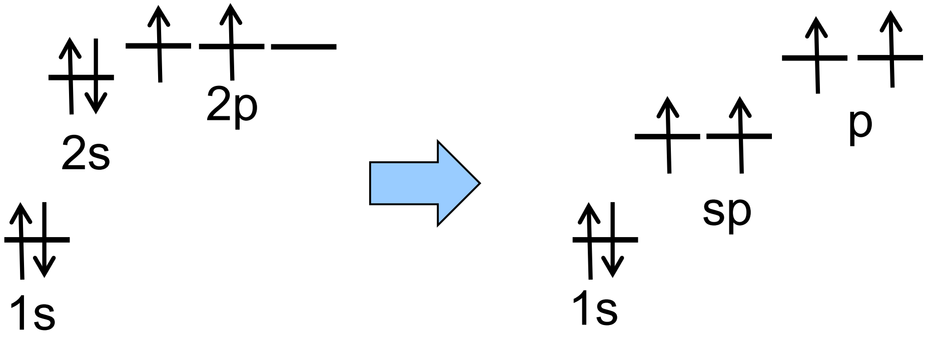


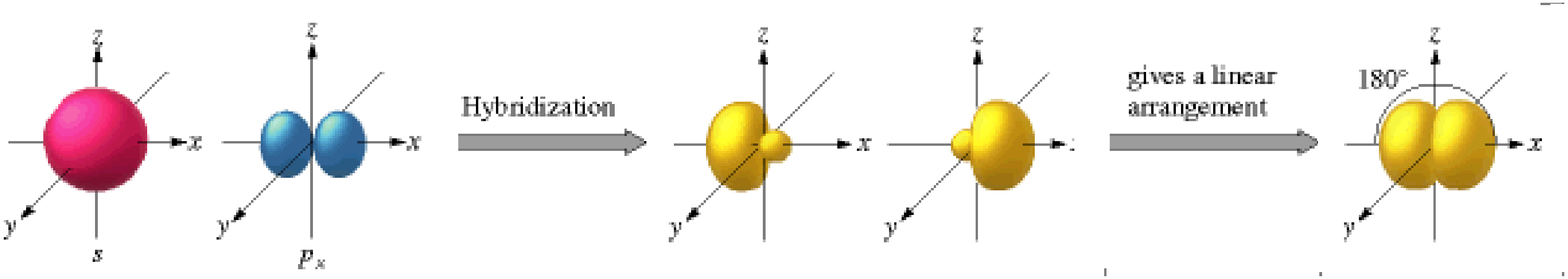


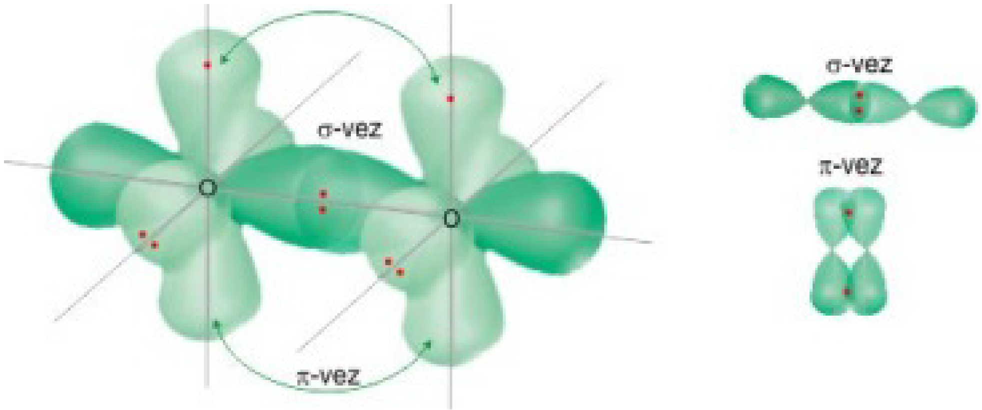
Building molecules from atoms – sp hybridization

H:C: : :C:H

Ethyne / Acetelyne
Linear chain





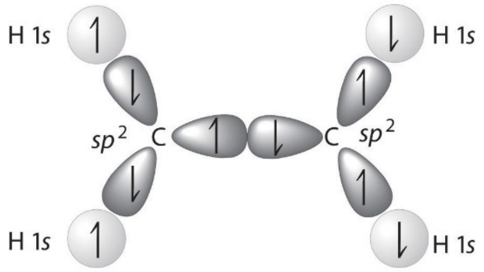


The Hückel MO model

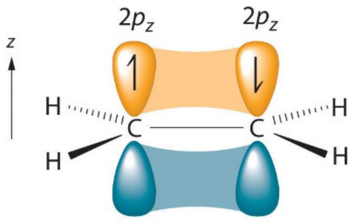
- Successfully applied to ***large conjugated systems***, especially those containing chains of carbon atoms with alternating single and double bonds.

- Within the Hückel approximation, the covalent bonding in these hydrocarbons can be separated into two independent "frameworks": the σ-bonding framework and the π-bonding framework.

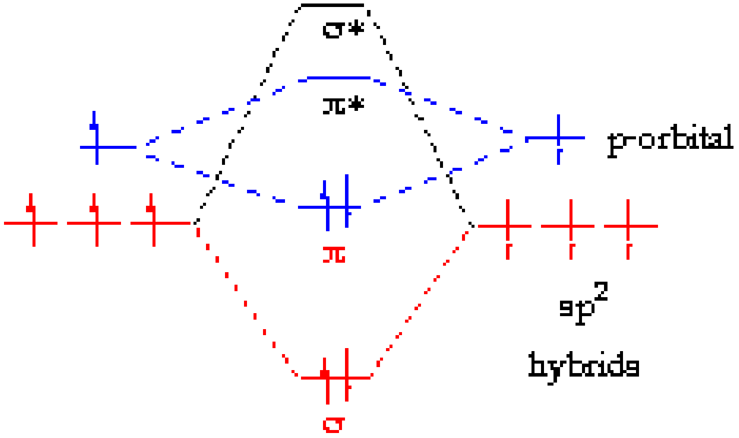
Example: ethylene



(a) C_2H_4 σ-bonded framework



(b) C_2H_4 π bonding



- Describe the wavefunction as linear combination of atomic orbitals (**LCAO**), so these are the two $2p_z$ orbitals:

$$\psi_{orbital} = c_A \psi_{pz}(\mathrm{A}) + c_\mathrm{B} \psi_{pz}(\mathrm{B})$$

- Minimize E with respect to c_A and c_B:

$$E = \frac{\int \psi_{orbital} H \psi_{orbital} dx}{\int \psi_{orbital}^2 dx} \quad \rightarrow \frac{\partial E}{\partial_{C_A}} = 0 \quad , \quad \frac{\partial E}{\partial_{C_B}} = 0$$

- Let us first calculate:

$$\int \psi_{orbital}^2 dx = \int c_A{}^2 \psi_{pz}{}^2(A)dx + \int \mathrm{c}_B{}^2 \psi_{pz}{}^2(B)dx + 2c_A c_B \underbrace{\int \psi_{pz}(A)\psi_{pz}(B)dx}_{S}$$

$$= c_A{}^2 \underbrace{\int \left|\psi_{pz}(A)\right|^2 dx}_{=1} + c_B{}^2 \underbrace{\int \left|\psi_{pz}(B)\right|^2 dx}_{=1} + 2c_A c_B \cdot \mathrm{S}$$

S…overlap integral

$$\int \psi_{\text{orbital}} H \, \psi_{\text{orbital}} \, dx = \int \left(c_A \, \psi_{pz}(A) \; + c_B \, \psi_{pz}(B)\right) H \left(c_A \psi_{pz}(A) \; + \; c_B \psi_{pz}(B)\right) dx$$

$$= c_A{}^2 \underbrace{\int \psi_{pz}(A) H \psi_{pz}(A) dx}_{\alpha} + c_B{}^2 \underbrace{\int \psi_{pz}(B) H \psi_{pz}(B) dx}_{\alpha} + 2 c_A \, c_B \underbrace{\int \psi_{pz}(A) H \psi_{pz}(B) dx}_{\beta}$$

A: Coulomb integral < 0; account for the interactions between the nuclei, the electrons, and the nuclei and electrons, more precise: interaction of the electrons around one nuclei with the other proton.

B: Resonance (exchange) integral < 0; of qm origin; no simple physical interpretation, but it can be shown to arise entirely due to the anti-symmetry requirements;

probability A ⟷ B

$$E = \frac{\overbrace{\alpha \, (c_A{}^2 + c_B{}^2) \; + \; 2 c_A \, c_B \, \beta}^{f}}{\underbrace{c_A{}^2 + c_B{}^2 \; + \; 2 \, c_A c_B \cdot S}_{g}}$$

$$\left(\frac{f}{g}\right)' = \frac{1}{g^2}\left[f' g - f g'\right]$$

$$\frac{\partial E}{\partial c_A} = 0 \rightarrow \frac{1}{g^2}\left[(2\alpha\, c_A + 2\beta\, c_B)g - f\,(2\, c_A + 2c_B \cdot S)\right] = 0$$

$$2\alpha\, c_A + 2c_B\beta - \underbrace{\frac{f}{g}}_{=E}(2c_A + 2c_B \cdot S) = 0$$

$$\left.\begin{array}{l} \rightarrow c_A(\alpha - E) + c_B(\beta - ES) = 0 \\ \qquad\qquad\qquad\text{and in analogy} \\ \dfrac{\partial E}{\partial c_B} = 0 \rightarrow c_A(\beta - ES) + c_B(\alpha - E) = 0 \end{array}\right\} \quad (3)$$

(3) is a linear homogeneous system of equations with unknown c_A and c_B.

The solution consists of setting the secular determinant equal to zero.

$$Det\begin{bmatrix} (\alpha - \mathrm{E}) & (\beta - \mathrm{ES}) \\ (\beta - \mathrm{ES}) & (\alpha - \mathrm{E}) \end{bmatrix} = 0$$

- This can be solved, but is a bit tedious. We would like to make an additional approximation (small orbital overlap S):

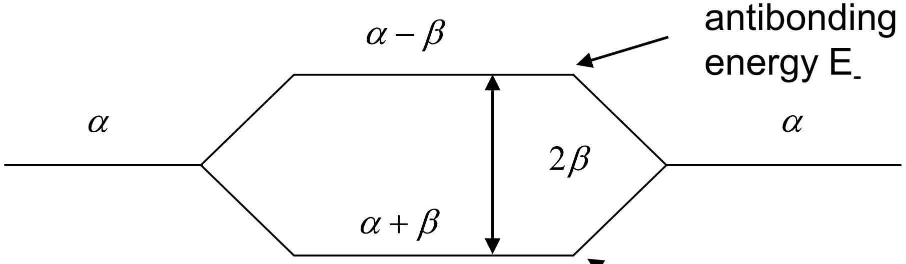
$$Det\begin{bmatrix}(\alpha - \mathrm{E}) & \beta \\ \beta & (\alpha - \mathrm{E})\end{bmatrix} = 0$$

- solving for E:

$$(\alpha - \mathrm{E})^2 - \beta^2 = 0 \rightarrow \alpha^2 - 2\alpha\mathrm{E} + \mathrm{E}^2 - \beta^2 = 0$$

$$E^2 - 2\alpha\mathrm{E} + \alpha^2 - \beta^2 = 0$$

$$E\pm = \frac{2\alpha \pm \sqrt{4\alpha^2 - 4(\alpha^2 - \beta^2)}}{2} = \alpha \pm \beta$$



antibonding orbital with energy E_-

bonding orbital with energy E_+

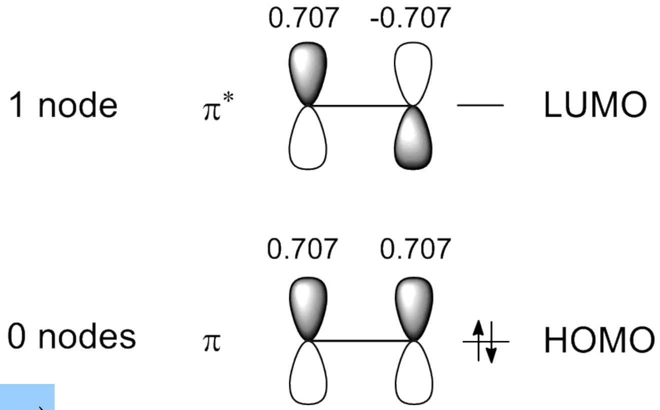
β can be estimated from spectroscopic data

❑ Finding the coefficients c_A, c_B (and hence the wavefunctions), For $E = E_+$:

$$\begin{bmatrix}(\alpha - \mathrm{E}+) & \beta \\ \beta & (\alpha - \mathrm{E}+)\end{bmatrix}\begin{pmatrix}\mathrm{c}_1\\ \mathrm{c}_2\end{pmatrix}=0$$

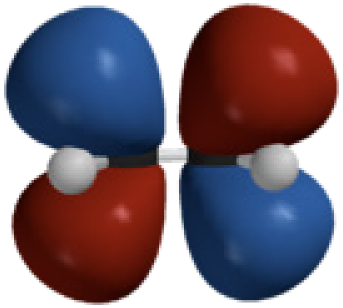
$$(\alpha - E_+)\,c_1 + \beta c_2 = 0 \quad \text{with} \quad E_+ = \alpha + \beta$$

$$-\beta \mathrm{c}_1 + \beta \mathrm{c}_2 = 0 \qquad \rightarrow \mathrm{c}_1 = \mathrm{c}_2$$



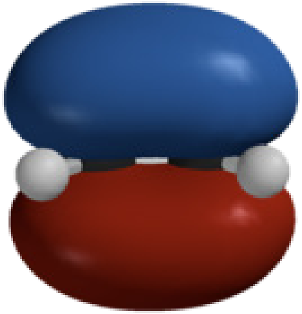
$$\rightarrow \psi_+ = \mathrm{c}_1\left(\psi_{pz}(\mathrm{A}) + \psi_{pz}(\mathrm{B})\right) = \frac{1}{\sqrt{2}}\left(\psi_{pz}(\mathrm{A}) + \psi_{pz}(\mathrm{B})\right)$$

from $$\int(\psi_+)^2\,dx = \mathrm{c}_1^{\,2}\left[\underbrace{\int\psi_{pz}(A)^2}_{=1} + \underbrace{\int\psi_{pz}(B)^2}_{=1} + \underbrace{\int\psi_{pz}(\mathrm{A})\psi_{pz}(B)}_{=0}\right] = c_1^2\cdot 2 = 1 \quad \Rightarrow c_1 = \sqrt{\frac{1}{2}}$$

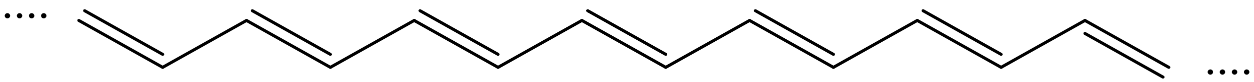


In the same way one obtains for $E = E_-$

$$\psi_- = \frac{1}{\sqrt{2}}\left(\psi_{pz}(\mathrm{A}) - \psi_{pz}(\mathrm{B})\right)$$



The infinite conjugated chain: polyacetylene I



$$Det\begin{bmatrix} \alpha - E & \beta_{AB} - ES_{AB} & \beta_{AC} - ES_{AC} & \dots & \dots \\ \beta_{BA} - ES_{BA} & \alpha - E & \beta_{BC} - ES_{BC} & \dots & \dots \\ \beta_{CA} - ES_{CA} & \beta_{CB} - ES_{CA} & \alpha - E & \dots & \dots \\ \dots & \dots & \dots & \dots & \dots \\ \dots & \dots & \dots & \dots & \dots \end{bmatrix} = 0$$

❑ Hückel approximations:

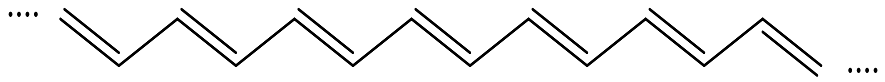
- All overlap integrals are set to zero S=0

- All resonance integrals between non-neighbors are zero

- All resonance integrals between direct neighbors are set to β

$$Det\begin{bmatrix} \alpha - E & \beta & 0 & 0 & \dots \\ \beta & \alpha - E & \beta & 0 & \dots \\ 0 & \beta & \alpha - E & \beta & \dots \\ 0 & 0 & \beta & \alpha - E & \dots \\ \dots & \dots & \dots & \dots & \dots \end{bmatrix} = 0$$

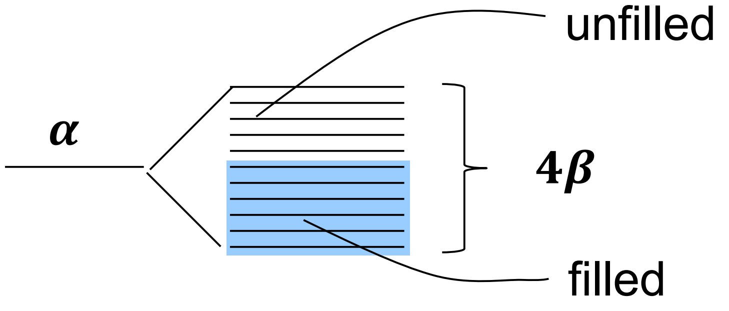
The infinite conjugated chain: polyacetylene II



$$E_k = \alpha + 2\beta\cos\left(\frac{k\pi}{N+1}\right) \qquad k = 1,2,\ldots N$$

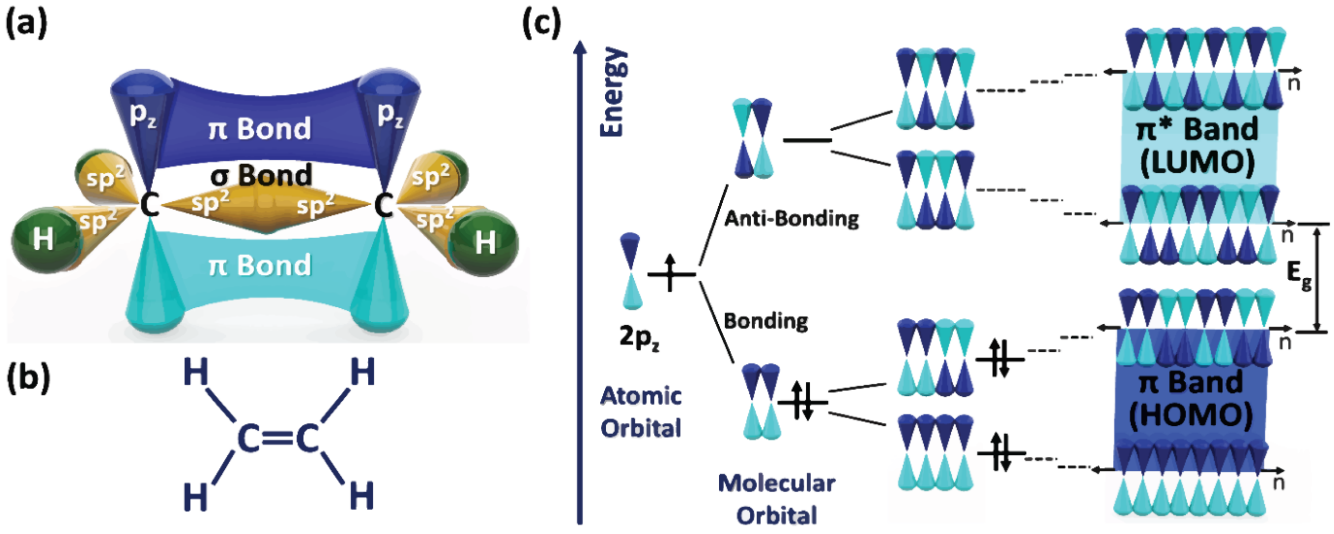
$$\psi_k = \sum_{n=1}^{N} a_n^k \psi_{2p_z}(n) \qquad a_n^k = \sqrt{\frac{2}{N+1}}\sin\left(\frac{\pi k n}{N+1}\right)$$

where $\psi_{2p_z}(n)$ are the C2p_z orbitals at site *n*.



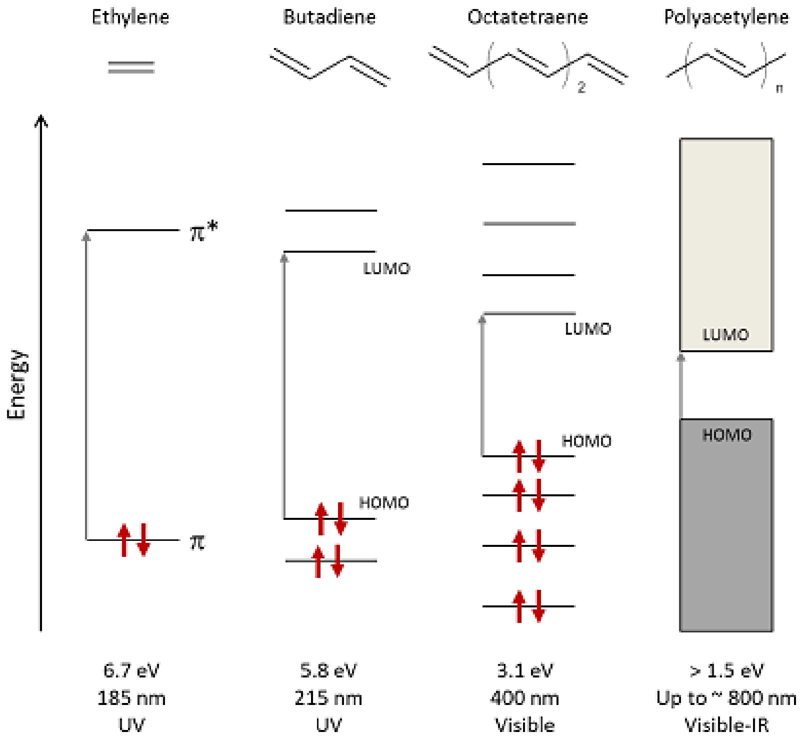
Theory predicts *trans*-PA to be a metal

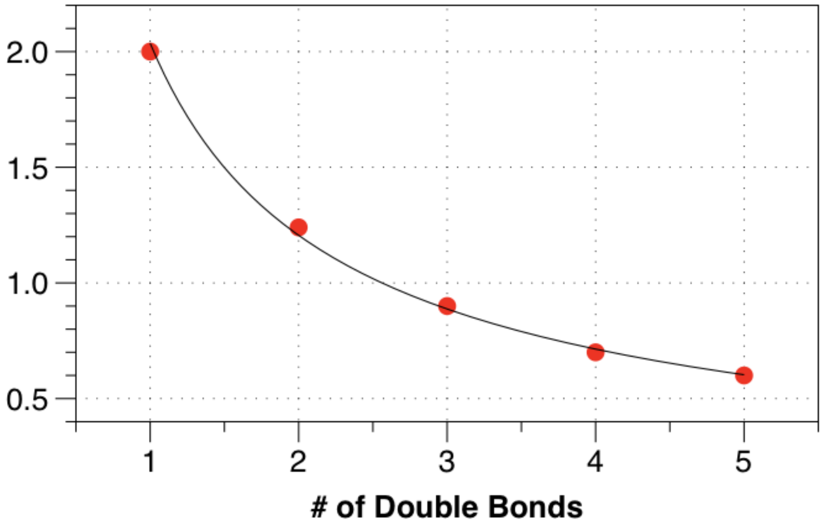
Hückel predicts no band gap when n gets very large:



The infinite conjugated chain: polyacetylene III

https://www.oe.phy.cam.ac.uk

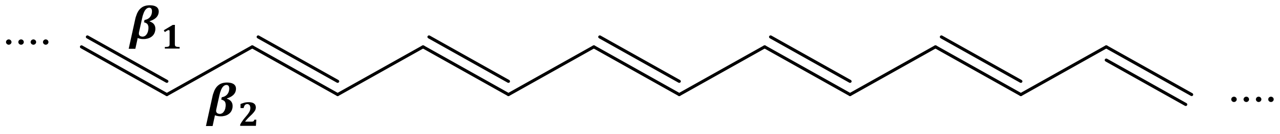




Hückel predicts no band gap when n gets very large:

The infinite conjugated chain: polyacetylene

❑ Why is Polyacetylene a semi-conductor and not a metal?



$$\mathrm{Det}\begin{bmatrix} \alpha - E & \beta_1 & 0 & 0 & \dots & \beta_2 \\ \beta_1 & \alpha - E & \beta_2 & 0 & \dots & 0 \\ 0 & \beta_2 & \alpha - E & \beta_1 & \dots & 0 \\ 0 & 0 & \beta_1 & \alpha - E & \dots & 0 \\ \dots & \dots & \dots & \dots & \dots & \dots \\ \beta_2 & 0 & 0 & 0 & \dots & \alpha - E \end{bmatrix} = 0$$

$$E_k = \propto \pm \left[\beta_1^2 + \beta_2^2 + 2\beta_1\beta_2 cos\left(\frac{2k\pi}{2N+1}\right)\right]^{\frac{1}{2}}$$

$$k = 0, \pm 1, \pm 2, \dots\dots \pm N$$

Dimerisation (Peierls distortion) opens up a gap with

$$\boldsymbol{E_g = 2\,|\beta_1 - \beta_2|}$$

3.1A Molecular Orbitals

Learning outcome

☐ How are molecules held together (molecular bonds)

- Covalent bonds

☐ What is an ***orbital*** ? Quantum mechanical description

- *An orbital is a one electron wavefunction that describes the probability to find the electron at a certain location*
- *Particle in a box*
- *Hydrogen orbitals*

☐ How can you describe the ***electronic wavefunction of molecules***

- *Molecular orbitals, sp^3, sp^2, sp hybridization*
- *Hückel molecular orbital theory: coupling of atomic orbitals, band splitting via resonance (exchange) interaction*

☐ Origin of ***electrical conductivity*** in ***organic carbon compounds***:

- *sp^2 hybridization in carbon and graphite*

3.1A Molecular Orbitals

Learning outcome

- ☐ Infinite ***conjugated polymers (intramolecular conductivity)***:
  - *Conjugated polymers: delocalized system of π-electrons runs along the polymer backbone*
  - *Bond length alternation opens up a band-gap (semiconductor)*

3.1B Electronic properties of organic semiconductors

Learning goals

- ☐ From ***delocalized π-orbitals*** to ***conductivity – 2 main questions:***
  - ☐ ***Where do charges come from? Intrinsic / extrinsic*** semiconductors – ***doping*** of organic semiconductors
  - ☐ ***Conduction mechanism*** in organic semiconductors: is it really band transport?

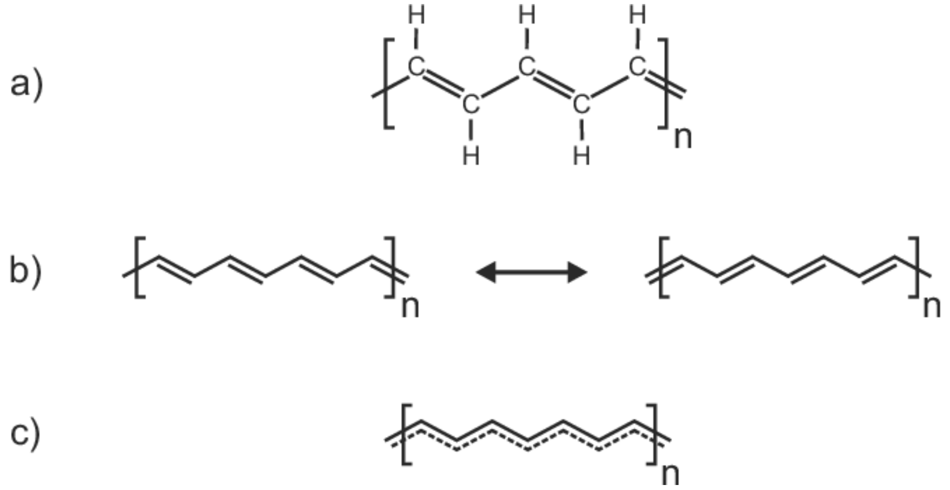
Thermodynamics of electron transfer, Marcus theory

- ☐ ***Definitions: mobility and conductivity***

- ☐ ***Electrical contact*** to devices

The infinite conjugated chain: polyacetylene III

Intramolecular conductivity

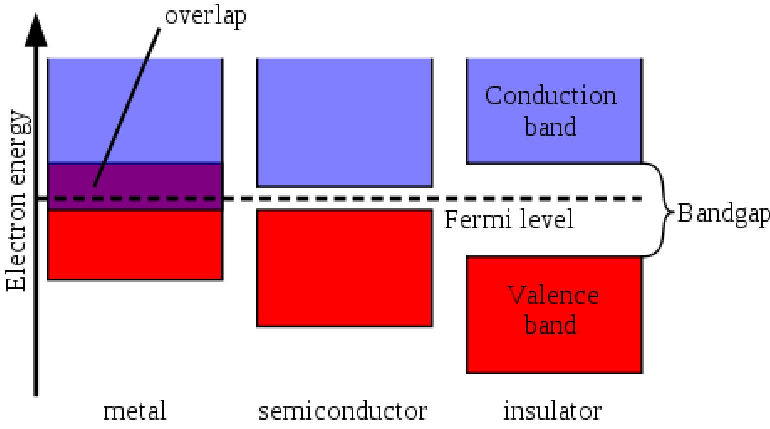


The construction of delocalized π-orbitals

Within the conjugated structure, π-orbitals are delocalized. This delocalization forms the basis of the molecular conductivtiy of carbon compounds.

But: delocalized π-orbitals ***allow for mobile charges***, to make them ***conductive***, also ***charge carriers*** are needed.

Intrinsic semiconductors



- ❑ Also called an undoped semiconductor or i-type semiconductor, is a pure semiconductor without any significant dopant species present
- ❑ The conductivity of intrinsic semiconductors is purely due to thermal excitation of carriers from the valence band to the conduction band.

$$n_{\text{int}\,r} = N_{eff}\, e^{-\Delta E_{gap}/2kT}$$

n_{intr} is the intrinsic charge density, N_{eff} is the density of states.

<u>Silicon</u>:
$N_c = 2.82\ 10^{19}$ cm^{-3}, $N_v = 1.83\ 10^{19}$ cm^{-3}
$E_g = 1.1$eV
$\mu = 1000$ cm^2 V^{-1} s^{-1}
$\sigma = 10^{-6}\ \Omega^{-1}$cm^{-1}

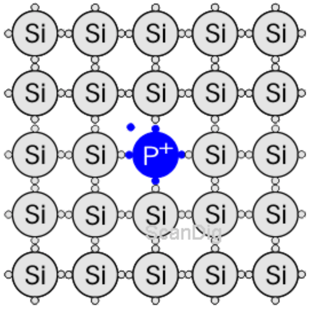
<u>Organic semiconductors:</u>
$N_0 = 10^{21}$ cm^{-3}
$E_g = 2.0$ eV
$\mu = 1$ cm^2 V^{-1} s^{-1}
$\sigma = 10^{-12}\ \Omega^{-1}$cm^{-1}

N_c and N_v are the density of states of the conduction and valence band, respectively, E_g is the band gap and N_0 is the molecular density.

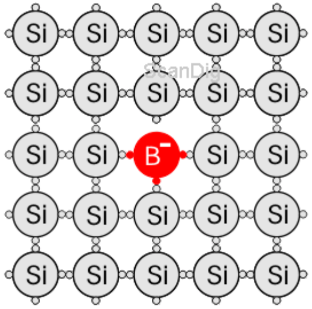
Extrinsic semiconductors

- Organic semiconductors get their ***conductivity from extrinsic factors***:
  - Dopants
  - Photosensitization
  - Injection

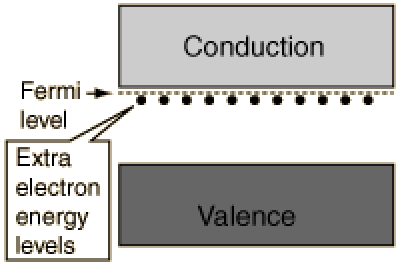
- An extrinsic semiconductor is one that has been ***doped***; during manufacture of the semiconductor crystal a trace element or chemical called a doping agent has been incorporated chemically into the crystal



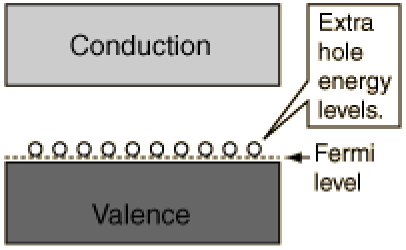
n-Dotierung



p-Dotierung



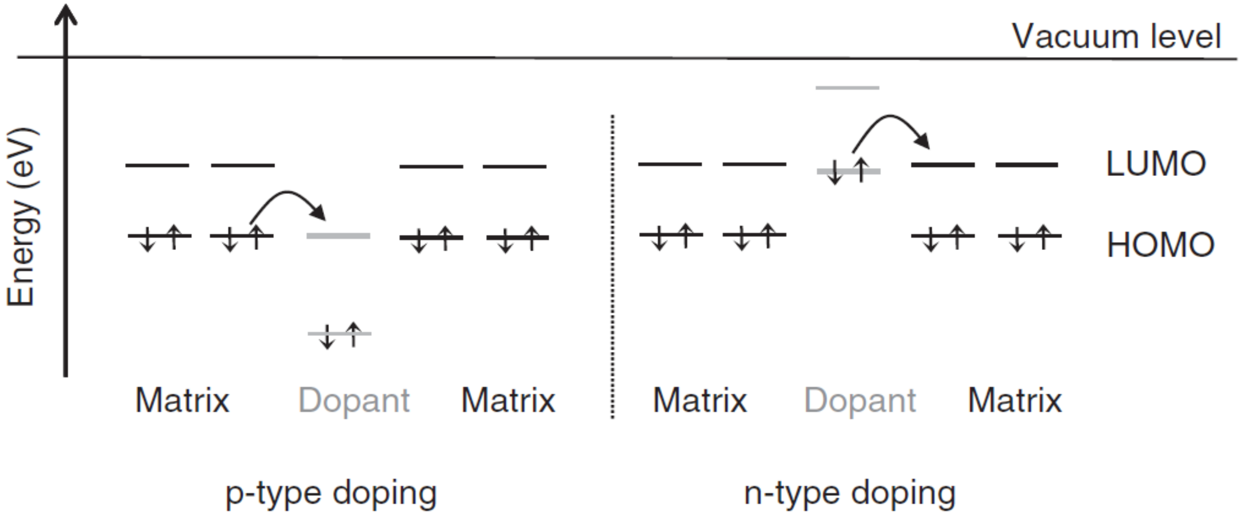
N-Type



P-Type

Doping of organic semiconductors:

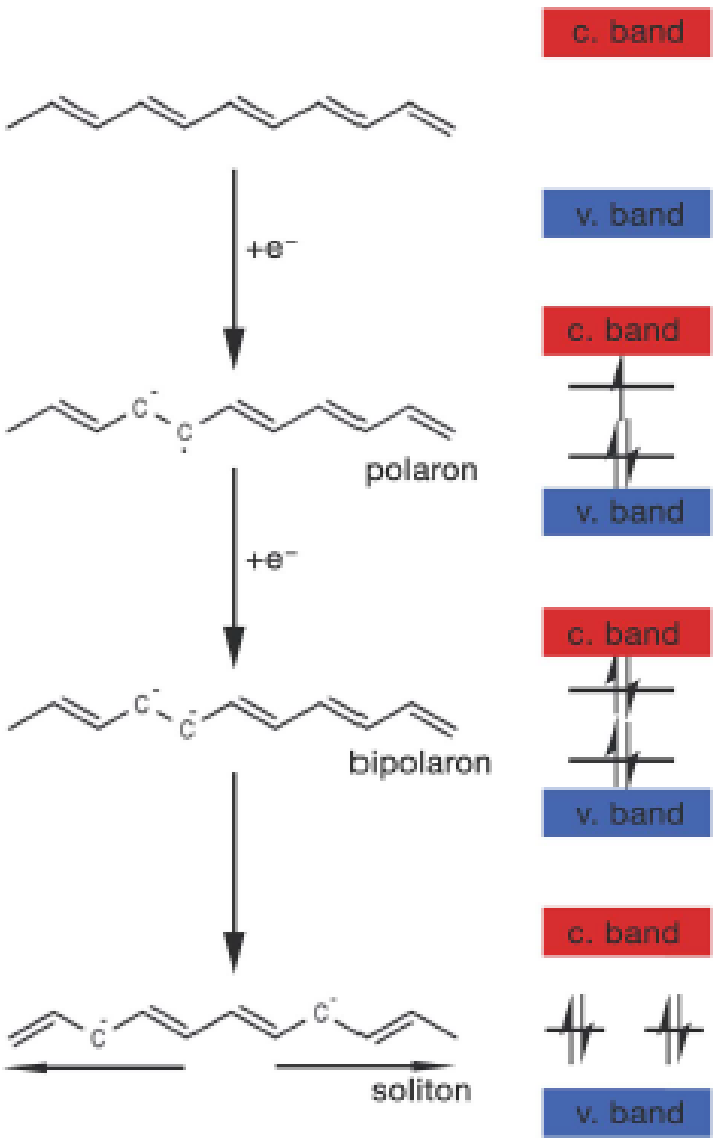
- How can you dope organic semiconductors?



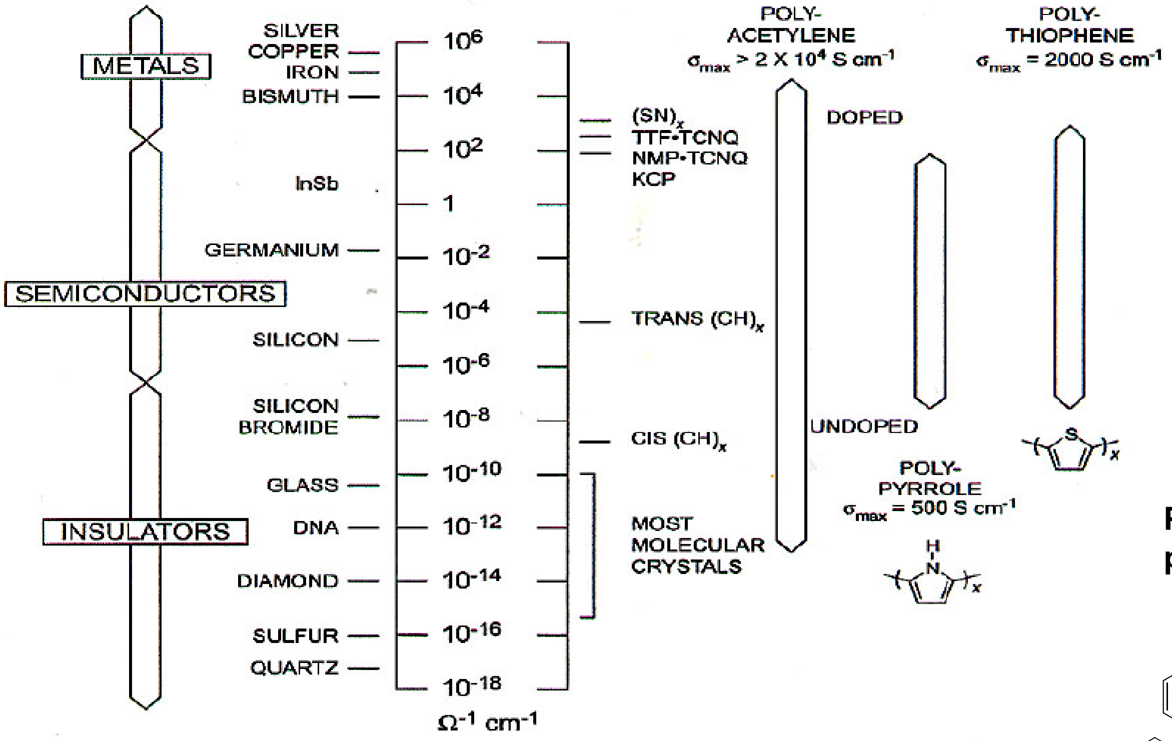
- In most organic materials, the HOMO is around −5 to−6 eV below the vacuum level. A ***p-type dopant*** therefore has to act as a very ***strong electron acceptor***. Similarly, ***n-type dopants*** had to have a ***HOMO level near −2.5 to −3.5 eV***

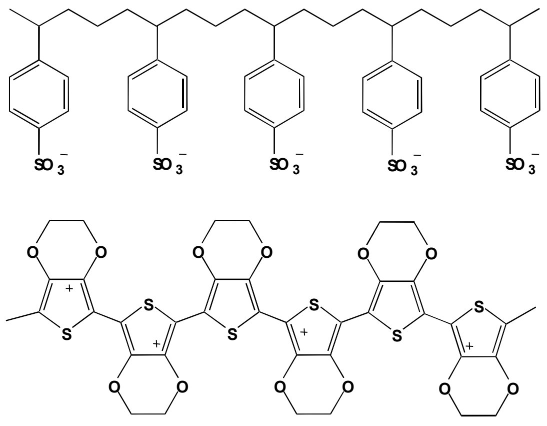
Doping of polymers

- ❑ Either partial oxidation with electron acceptors (i.e. anions, p-doping) or partial reduction with electron donors (i.e. cations, n-doping).
- ❑ Charged defects, such as polarons, bipolarons and solitons, are introduced into the polymer structure as a result of the doping process.
- ❑ A polaron is a quasiparticle composed of a charge and its accompanying polarization field
- ❑ These defects then play the role of charge carriers. This is analogous to the p and n doping of Si
- ❑ Band-like charge transport along the chain

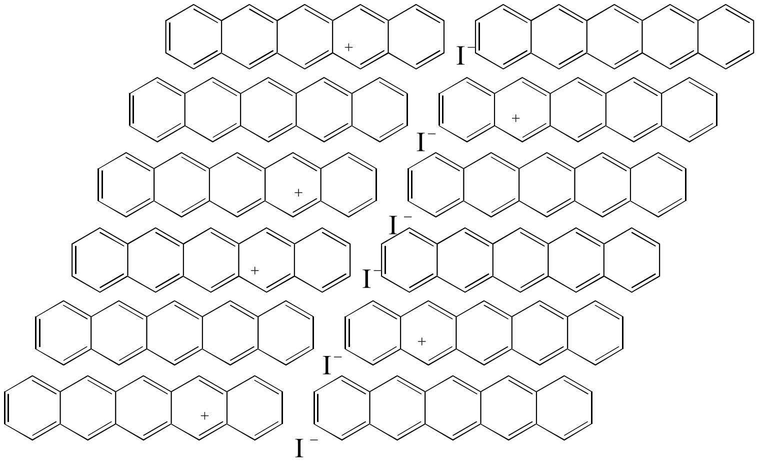


RSC Adv.,2015, 5,1161





Poly-(dioxythiophene) doped with polystyrenesulfonate or PEDOT:PSS



Pentacene doped with iodine

Doped conjugated polymers and doped molecular crystals can span a ***whole range of conductivities***

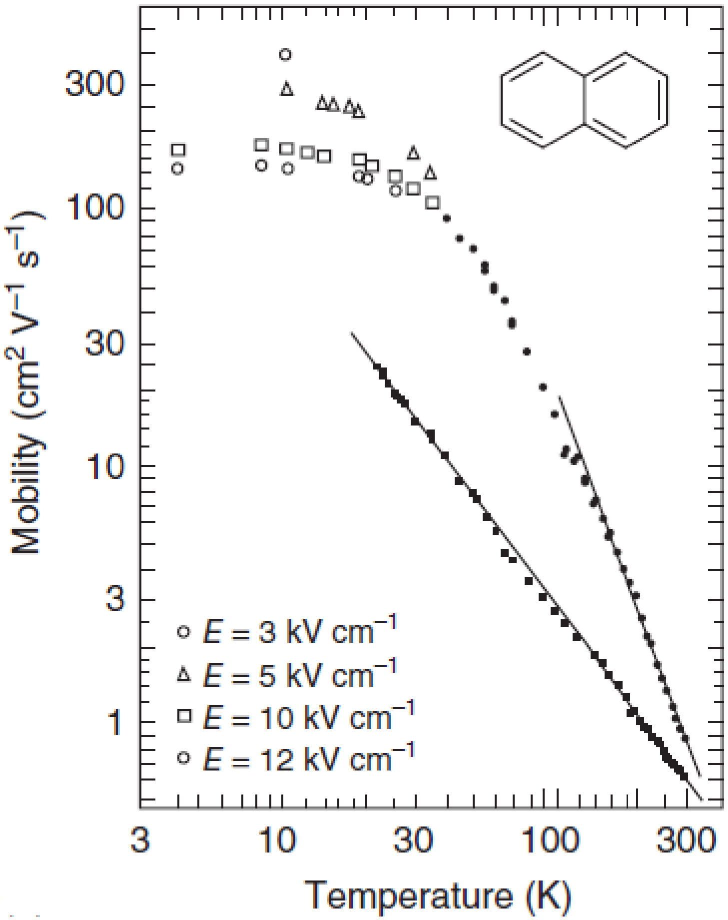
Band-like carrier transport in organic single crystals of high purity

- In band like carrier transport, mobility has the following T dependence due to increased scattering at acoustic phonons, impurities and electron interactions:

$$\mu \propto T^{-n}$$

- The resonance integral β determines the strength of electronic coupling between the molecules

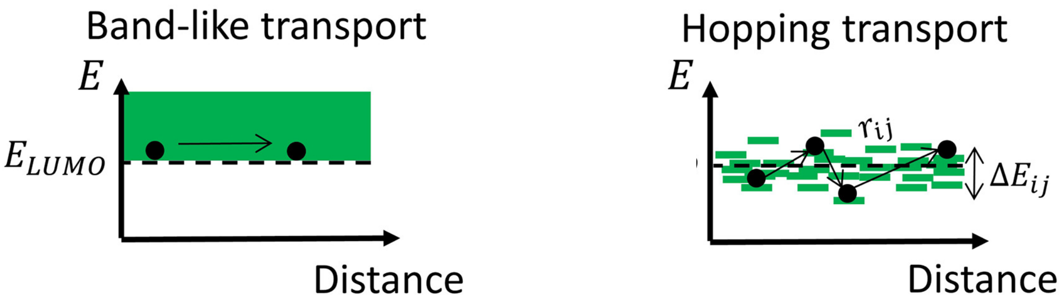
- β in organics is about one order of magnitude lower than in inorganics



Warta, W., Karl, N., Phys. Rev. B, 32 (2), 1172, 1985.

Band transport and Hopping transport

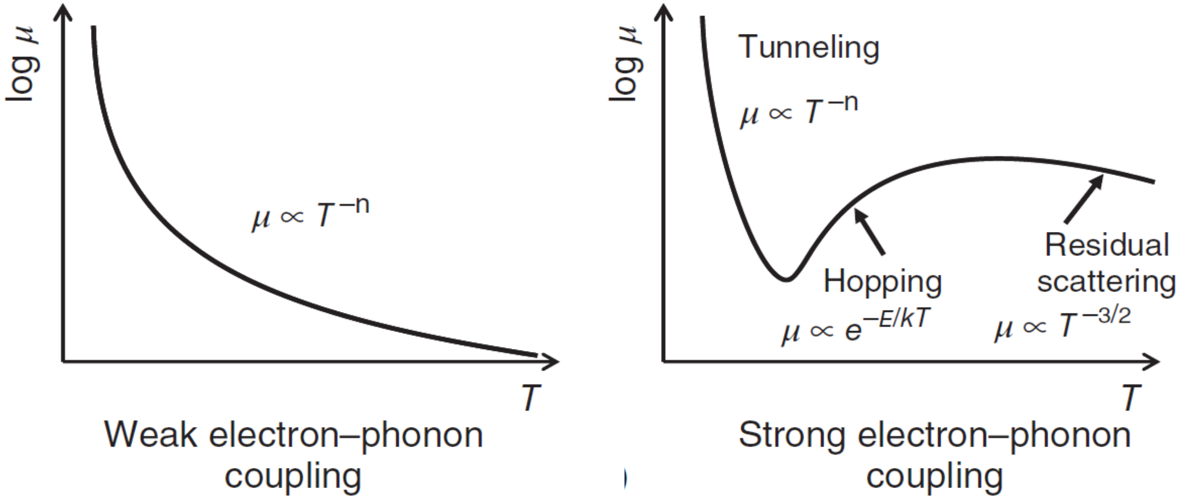
- Band transport is effective when ***the electronic coupling*** β is larger than any other energy terms due static or dynamic disorder.
- If ***coupling to molecular vibrations*** (called local phonon coupling, not to be mixed up with lattice vibrations) becomes comparable to electronic coupling, then the band model is inappropriate
- Even if there is no band transport: still conductivity notably by a ***thermally activated hopping regime***, which applies to most amorphous films used in organic optoelectronics.



Polymer International, Volume: 2019, 68, 4, 620-636, DOI: (10.1002/pi.5768)

Band transport and Hopping transport II

- Organics can be molecular crystals, molecular glasses, polymeric glasses, all will give different transport mechanisms, dominated by either ***electronic coupling, inter- and intra molecular vibrations, static inter- and intramolecular disorder***

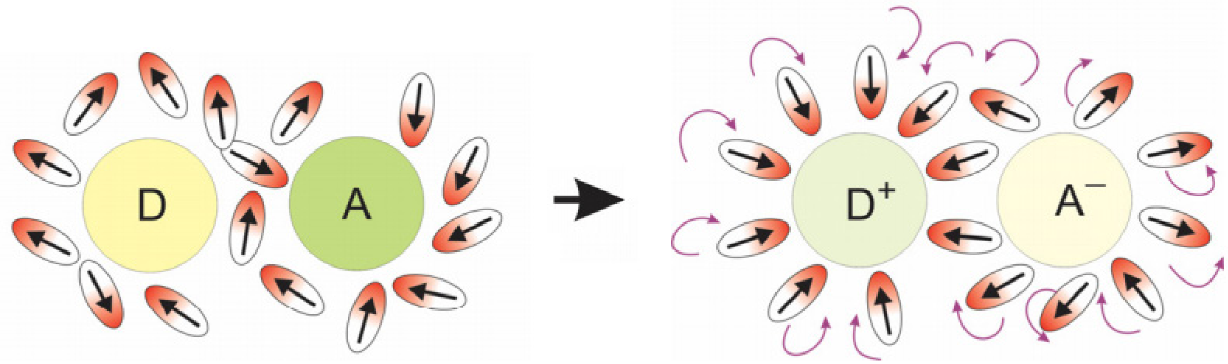


A. Köhler and H. Bässler
Electronic Processes in
Organic Semiconductors,
Wiley-VCH, Weinheim, 2015.

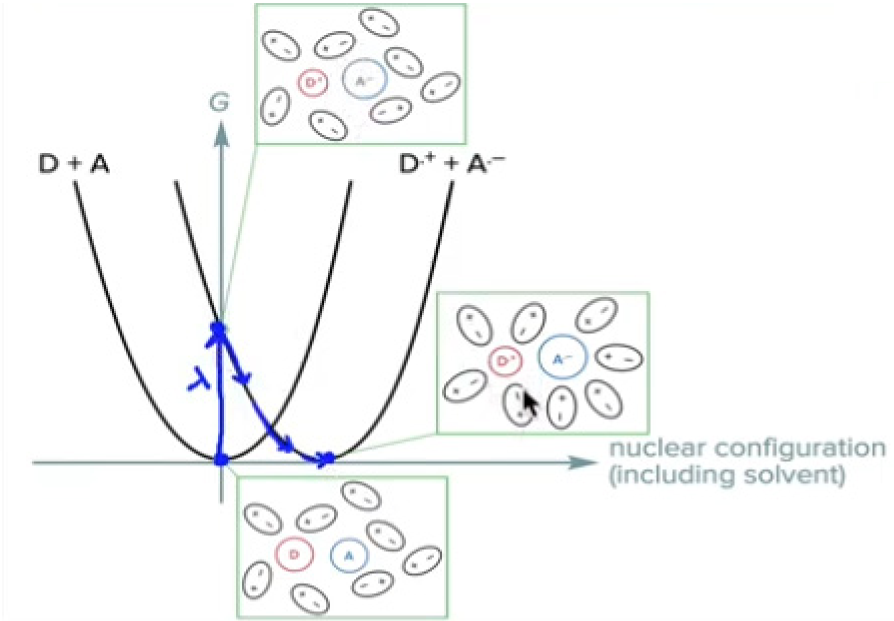
Thermodynamics of electron transfer

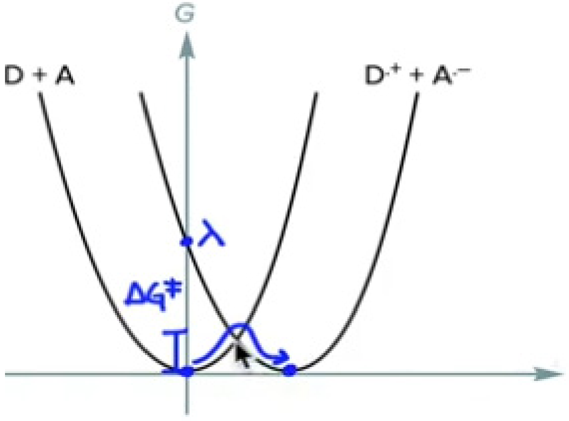
- Marcus' theory of electron transfer was originally developed to describe electron transfer processes in solution, but the framework is well suited to describe a hopping process

- The idea: two things will happen: changes in the molecule (size, bondlength, …) and changes in the environment (dipoles of the solvent molecules will "screen" the charges)



Thermodynamics of electron transfer





It is assumed that the free energy or potential of mean force for the initial and final state is well represented by two parabolas.

Different ways to get form "A" to "B":

- Invest the so-called reorganization energy (λ) to get onto the D+ + A- branch before relaxing to the new position (Libby).
- Solvent molecules can rearrange in synch with electron transfer, lowering the energy barrier:

$$k_r = \nu_n e^{-\Delta G^{\ddagger}/RT}$$

$$\Delta G^{\#} = \frac{\lambda}{4}$$

Conduction in molecular solids

- ***Mobility*** μ**:** when a charged particle in a gas or liquid is acted upon by a uniform electric field, it will be accelerated until it reaches a ***constant drift velocity*** v_d.
- A semiconducting material can be best assessed by its ***conductivity*** σ. It is defined as the ratio of the density of the current J to the electric field E. n is the **charge carrier density** (m^{-3}).
- For ***conductivity*** we thus need to look at the product of mobility and charge carrier density

$$\left.\begin{array}{l}\left.\begin{array}{l} v_d = \mu E \\ J = nev_d \end{array}\right\} J = ne\mu E \\ \qquad\qquad\quad J = \sigma E \end{array}\right\} \boldsymbol{\sigma = ne\mu}$$

Charge carrier mobilities μ at room temperature for organic and inorganic semiconductors (in cm^2/Vs)

$$J = nev_{drift} = ne\mu E$$

Organic semiconductors			**Inorganic semiconductors**		
crystalline			***crystalline***		
Anthracene	**1.6 (e^-)**	**1.2 (h^+)**	**Si**	**1500 (e^-)**	**450 (h^+)**
Pyrene	**0.7 (e^-)**	**0.7 (h^+)**	**Ge**	**3900 (e^-)**	**1900 (h^+)**
b-phthalocyanine	**1.1(e^-)**	**1.4 (h^+)**	**GaAs**	**8500 (e^-)**	**400 (h^+)**
Fullerene C_{60}	**1.1(e^-)**	**1.0 (h^+)**	**InAs**	**80000 (e^-)**	**1250 (h^+)**
amorphous			***amorphous***		
10^{-5} to 10^{-3} at high fields (1MV/cm)			**Si ≈ 1**		

M. Pope, C. E. Swenberg, "Electronic Processes in Organic Crystals and Polymers", Oxford Universtiy Press, 1999
S. M. Sze «Physics of semiconductors», Wiley, New York, 1981

Basic Aspects of Electrical Currents in a Device

☐ Either limited by the efficiency of charge injection:

Injection limited current

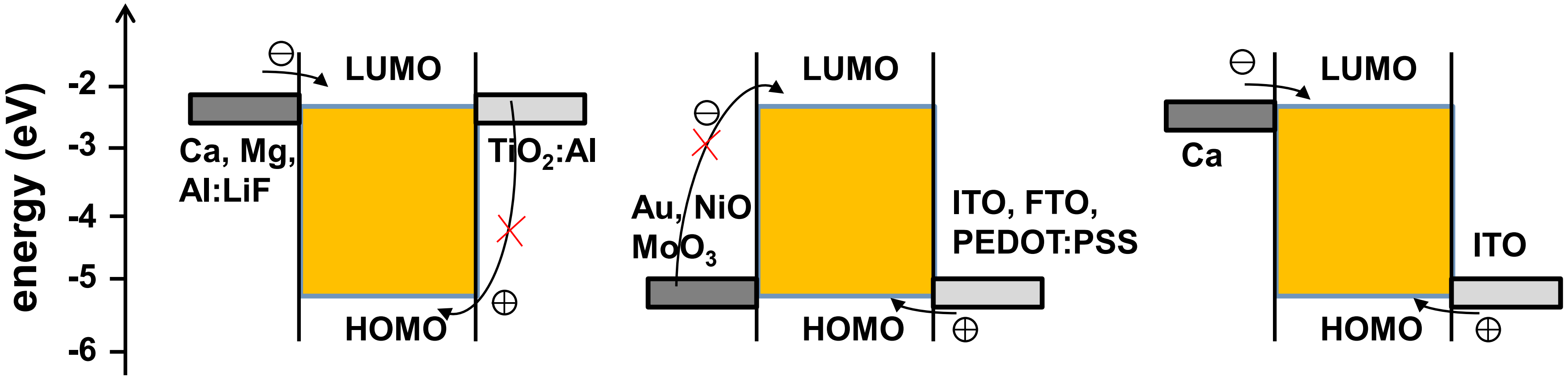
☐ or by the ability of the device to transport the charges:

Space charge limited current (SCLC)

Contacting organic opto-electronic devices

Contacts are chosen to provide barrier-free injection of charge carriers into the device. This implies that the Fermi energy of the contact has to be aligned to relevant molecular orbital, i.e. to the LUMO if electrons are injected or to the HOMO, if holes are injected.

Due to the large bandgap of organic semiconductors, specific contacts allow the injection of one type of charge carriers (e.g. electrons into the LUMO) and block injection of the other charge carrier type (e.g. holes into the HOMO).

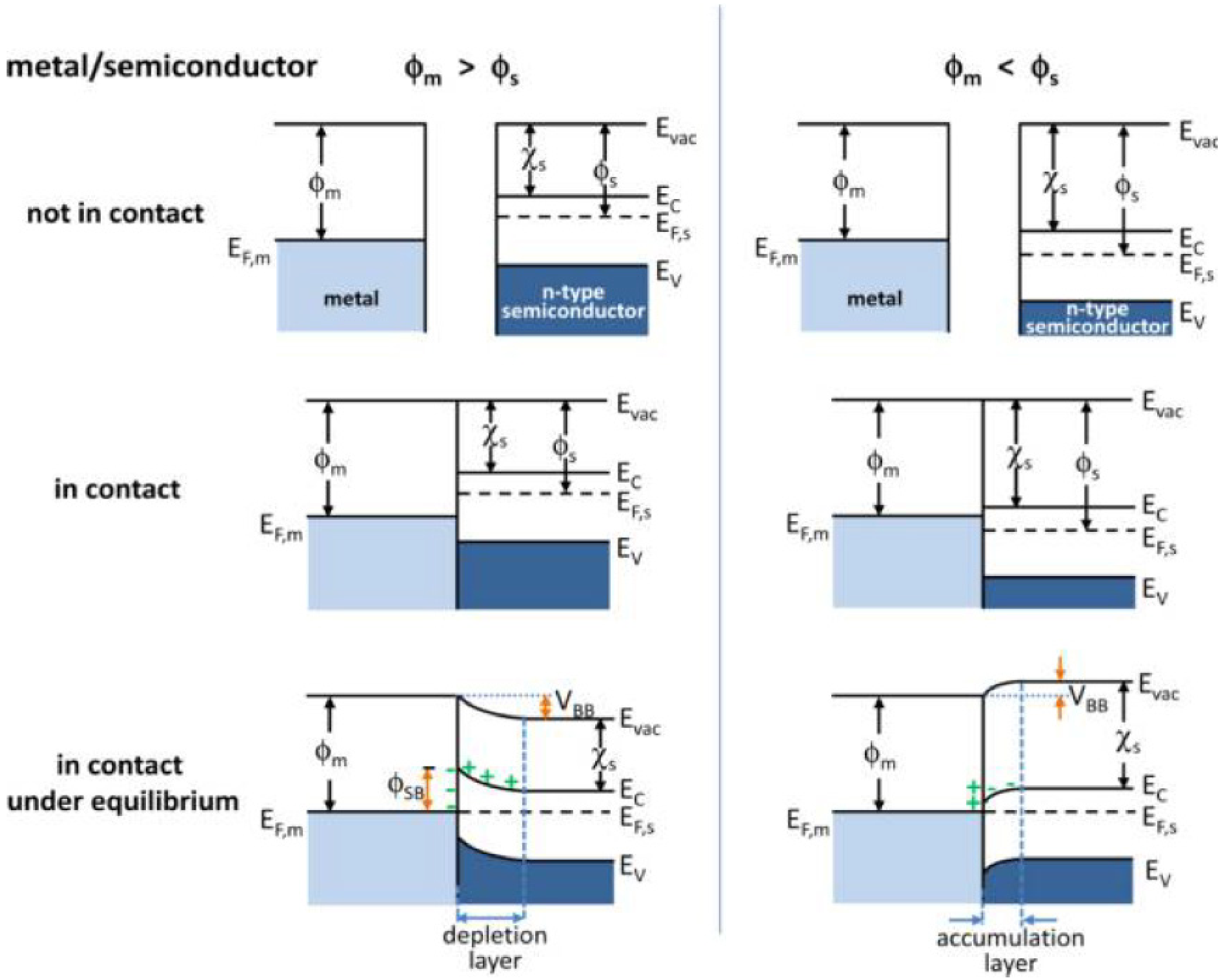


Homopolar «electron-only» device

Homopolar «hole-only» device

Bipolar device (e.g. for OLEDs)

Band bending



From: Z. Zhang, J.T. Yates: Band Bending in Semiconductors, Chem. Rev 2012, 112, 5520

Space charge limited current

The semiconductor is assumed to be undoped, diffusion currents are neglected, current density *J* for one type of charge carriers (holes or electrons but not both together):

Charge in device: $q = CV = \varepsilon_r \varepsilon_0 \frac{V}{L}$

Maximum current through device: $j = \frac{q}{\tau_{trav}} \Longrightarrow$ j= $\mu \varepsilon \varepsilon_0 \cdot \frac{V^2}{L^3}$

Travel time : $\tau_{trav} = \frac{L}{\mu E} = \frac{L^2}{\mu V}$

Mott and Gurney (1948) performed a proper calculation:

$$j = \frac{9}{8} \mu \varepsilon \varepsilon_0 \cdot \frac{V^2}{L^3}$$

where ε is the dielectric constant, *V* is the applied voltage and *L* is the thickness of the molecular solid sandwiched between two electrodes. *E* is the electric field

Other methods to determine mobility

- ❑ Time-of-flight
- ❑ Current transient methods (CELIV)
- ❑ Transistor mobility measurement (OFET)
- ❑ Transient Stark spectroscopy
- ❑ Electron spin resonance measurement (ESR)

3.1B Electronic properties of organic semiconductors

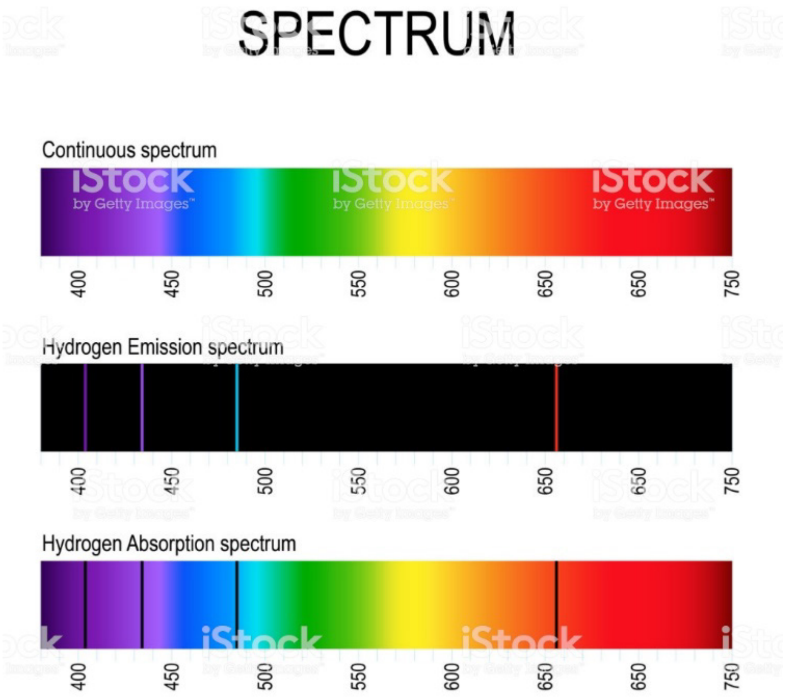
Learning outcome

- ☐ ***Conduction mechanism*** in organic semiconductors
  - ***Band like*** transport is possible, but only in the "weak electron-phonon coupling regime". The general case is a ***hopping*** mechanism. In polymers band like transport along the chain, hoping between chains.
- ☐ ***Intrinsic / extrinsic*** semiconductors
  - Organic intrinsic semiconductors are more or less ***insulators***, conduction by ***doping, injection or excitation***
- ☐ ***Thermodynamics of electron transfer, Marcus theory***
  - Describes a transfer rate mediated by a nuclear coordinate
- ☐ ***Contacts*** to devices
  - Space charge and injection limited currents

3.1C Absorption and fluorescence

Learning goals

- Mathematical frame work of optical transitions
  - Selection rules
- Relate absorption to molecular properties
- Relaxation mechanisms of optically excited molecules



Optical transitions

- The electric component of the radiation (the optical field E_{opt}) interacts with the charges of the molecule.
- In first approximation, the interaction is between the optical field E_{opt} and the electric dipole moment μ of the molecule.

$$\vec{\mu} = e\vec{r}$$

- Molecular dipole moments are usually given in Debye (D), where 1D = $3.336 \cdot 10^{-30}$ Cm.
- The problem can only be solved with quantum mechanics: time dependent perturbation theory, adding the radiation field to the unperturbed Hamiltonian:.

$$\hat{H}_{total} = \hat{H}_0 + \hat{H}' \quad \text{where} \quad \hat{H}' = \vec{\mu} \cdot \vec{E}_{photon}$$

- We only look at a two-level system, the ground state with wavefunction ψ_0 (and corresponding energy E_0) and the excited state with wavefunction ψ_1 (and corresponding energy E_1)

- Conditions for the absorption of a photon:

1) $h\nu = E_1 - E_0$

2) $\mu_{1,0} = \langle \psi_1 | \vec{\mu}_{10} | \psi_0 \rangle \neq 0$ where $\mu_{1,0}$ is the transition dipolemoment.

- Note: this a non-diagonal element of the Dipol operator, for which there is no classical analogon. This is not the difference in dipolmoment between the ground state and the excited state.

- The ***transition dipole moment*** tells you how well a molecule can couple to electromagnetic radiation, and in that sense it tells how strong a molecule absorbs light.

- The ***transition probability P*** is proportional to the square of the transition dipole moment μ^2 and the energy density of the radiation field E^2:

$$P \propto \left|\mu_{1,0}\right|^2 \cdot \left|E\right|^2$$

- ***Born–Oppenheimer (BO) approximation:*** the motion of atomic nuclei and electrons in a molecule can be treated separately

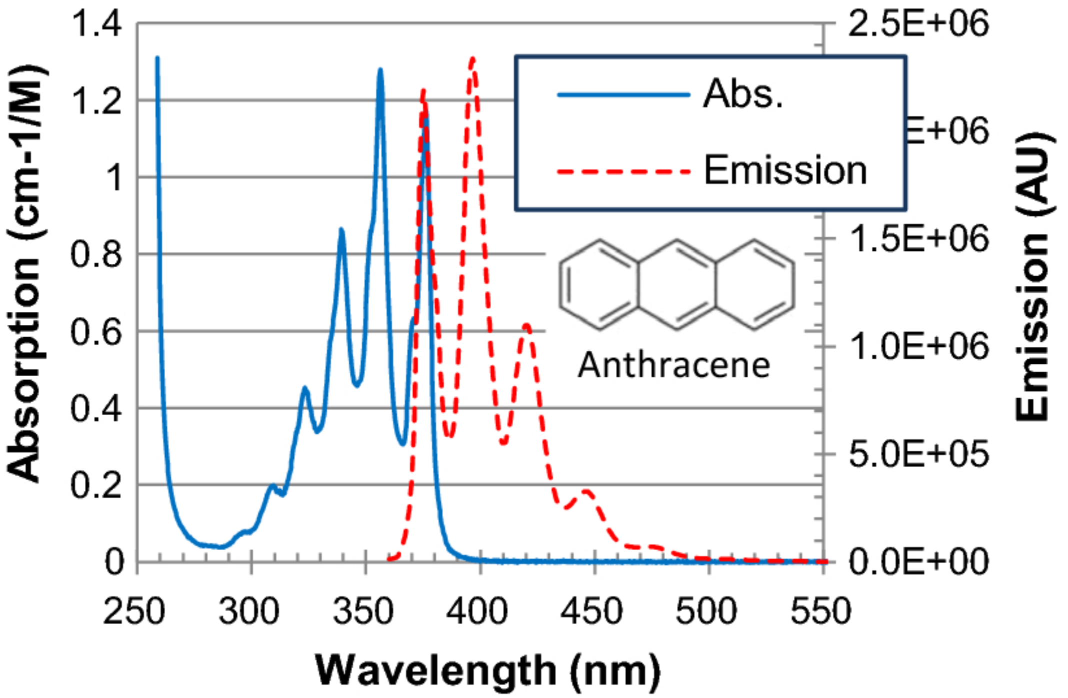
$$\psi = N \cdot E = N\varphi S$$

where φ is the electronic spatial wavefunction, *S* is the spin wavefunction and *N* is the nuclear wavefunction.

$$\mu_{1,0} = \langle \psi_1 | \vec{\mu} | \psi_0 \rangle = \langle N_0 | N_1 \rangle \langle \varphi_1 | \vec{\mu} | \varphi_0 \rangle \langle S_0 | S_1 \rangle$$

- A ***transition*** is said to be ***forbidden,*** if any of the above terms is zero.
  - a) overlap and symmetry of ***spatial wavefunction***
    => ***answers by Group theory***
  - b) ***nuclear wavefunction*** (vibrational / rotational) with respect to overlap
  - c) ***spin wavefunction*** with respect to spin conservation
    => ***spin conservation***

Vibronic fine structure



Environmental Earth Sciences
77, 374 (2018)

- Transitions also show a ***vibrational structure,*** originates from the ***nuclear wavefunction***

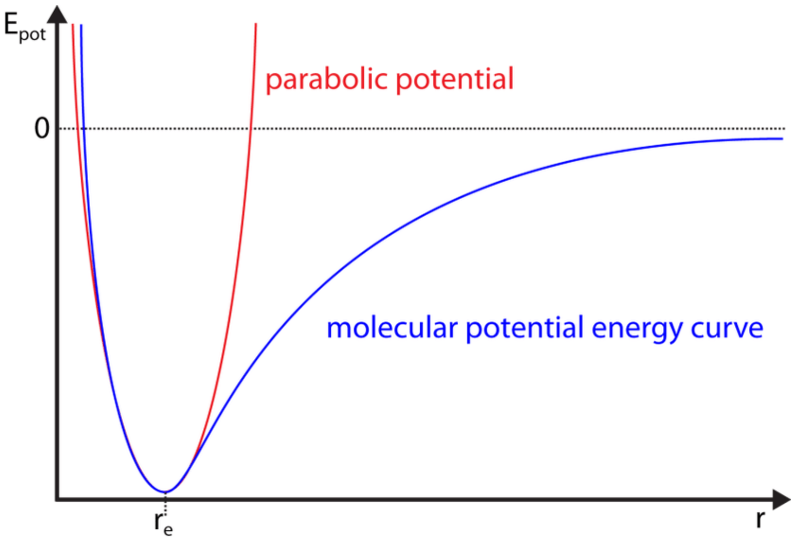
- Not described by the Born-Oppenheimer approximation: the dipol operator was not acting on the nuclear wave function

b) Diatomic molecule

- The relative motion of two nuclei can therefore be described in terms of the motion of a fictious particle of reduced mass μ moving in a central potential.

- The energy of a vibration is quantized

- For small pertubations, a parabolic potential can be used. This potential energy is associated with the force that binds the two atoms together.

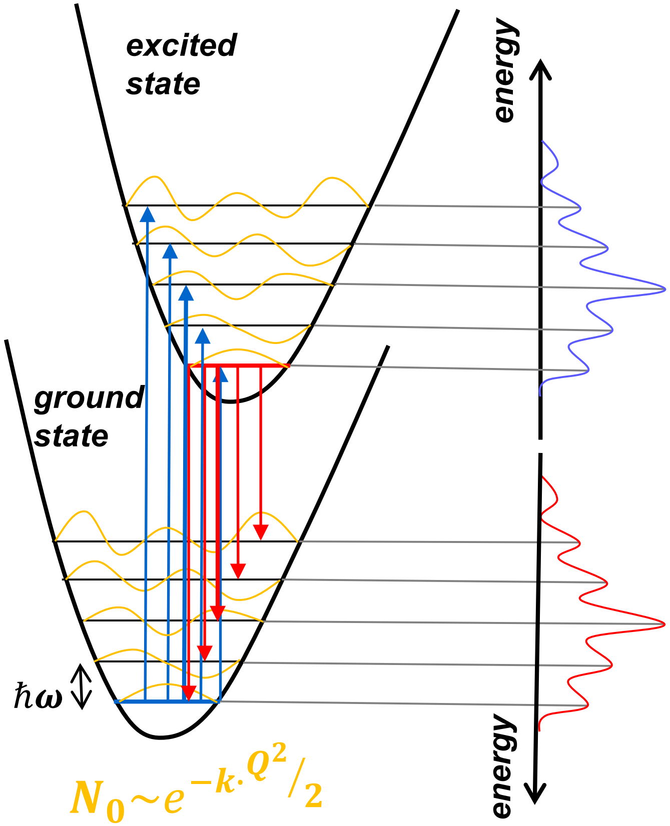


Solving the Schrödinger equation yields the eigenenergies of the vibrational motion of the two nuclei

$$E_{vib} = \hbar\omega(\nu + {}^{1}/_{2})$$

b) Vibronically allowed transitions - the Franck-Condon principle

Electronic transitions occur rapidly compared to nuclear motion (0.1 to 1 fs vs 10 -1000 fs), the nuclei remains essentially "frozen" in the ground state during the transition.



$$N_0 \sim e^{-k \cdot Q^2/2}$$

$$E_{vib} = \hbar\omega(\nu + {}^1/_2)$$

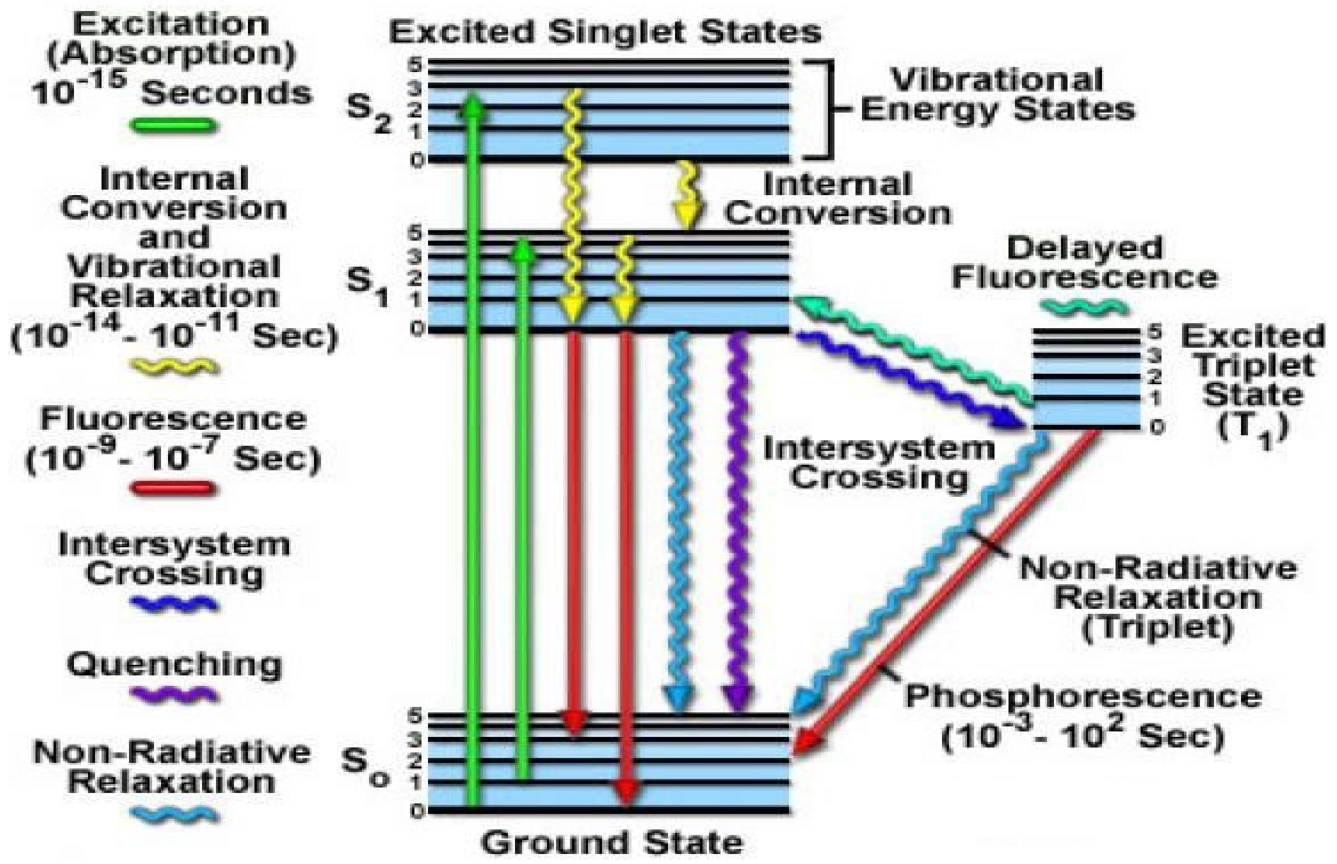
What we are looking for: how do the vibrational features influcene the transition probability $\langle N_1 | N_0 \rangle^2$

Franck-Condon:

The better the vibronic overlap $\langle N_1 | N_0 \rangle$, the larger will be the nuclear overlap integral and the more probable will be the transition.

Or: the more compatible the wavefunctions of ground and excited state are, the more likely the transition

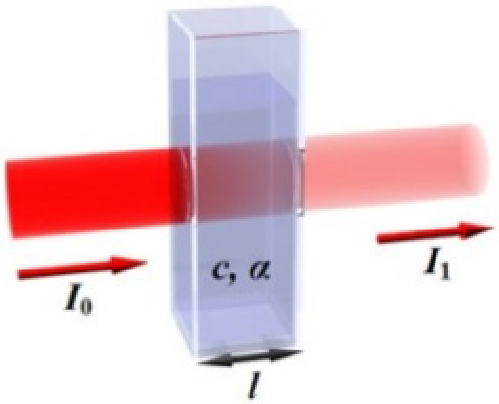
Relaxation of electronically excited molecules



1. Radiative processes (fluorescence, phosphorescence)
2. Non-radiative processes (vibrational relaxation)
3. Quenching processes, which are bi-or multimolecular relaxation processes

Jablonski diagram, summarizing intramolecular processes.

Absorption and the oscillator strength



$$T = \frac{I}{I_0} = 10^{-\propto l} = 10^{-\varepsilon c l}$$

Beer-Lambert law:
the quantity of light absorbed by a substance dissolved in a fully transmitting solvent is directly proportional to the concentration of the substance c and the path length l of the light through the solution (α is the absorption coefficient, ε is the molar extinction coefficient in l mol^{-1}cm^{-1}, c is the concentration mol l^{-1} and l is the distance in cm over which light is absorbed).

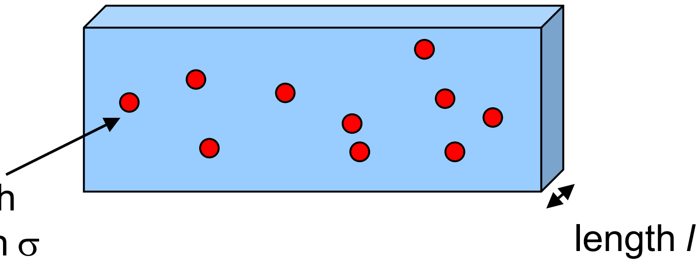
From here: the ***decadic absorbance A***, which is widely used in the field of photochemistry and molecular materials science:

$$A = -\log\left(\frac{I}{I_0}\right) = \varepsilon c l$$

Absorption and the oscillator strength

Connecting macroscopic and microscopic properties
The extinction coefficient can be expressed in microscopic terms introducing the cross section σ, i.e., the target area that a molecule presents to the incoming photon. If this area is struck, the photon is absorbed.

$$\sigma = \frac{10^3}{N_A} \ln 10 \cdot \varepsilon$$



$$A_{band} = \int_{band} \varepsilon(\bar{\nu})\,d\bar{\nu}$$

where $\bar{\nu} = \frac{1}{\lambda}$ is the wavenumber in cm^{-1}

The **oscillator strength** is a measure of the strength of an electric dipole transition:

$$f_{1.0} = \left[\frac{4\varepsilon_0 m_e c^2 \ln(10)}{N_A e^2}\right] A_{band}$$

The collection of fundamental constants has a value of $4.310 \cdot 10^{-9}$ mol $\mathrm{dm}^{-3}\mathrm{cm}^2$.

From theory we get a connection between the oscillator strength f_{10} and the transition dipole moment:

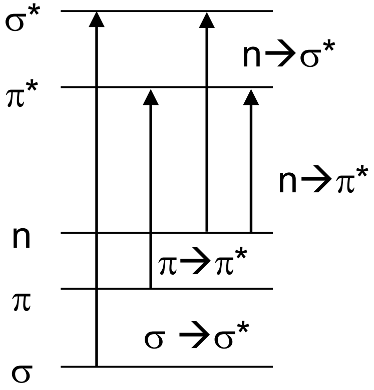
$$f_{10} = \left[\frac{8\pi^2 m_e c}{3e^2 h}\right] \bar{\nu}_{10} |\bar{\mu}_{10}|^2$$

where $\boldsymbol{\bar{\nu}_{10}}$ is the wavenumber of the transition, which we will take to be $\bar{\nu}_{max}$ (the wavenumber at maximum absorption). The collection of physical constants has the value $4.226 \cdot 10^{52}$ $C^{-2}m^{-2}cm$, or $4.702 \cdot 10^{-7}$ $D^{-2}cm$. Thus

$$f_{10} = 4.702 \cdot 10^{-7} \bar{\nu}_{10} |\bar{\mu}_{10}|^2$$

Types of transition

- In organic molecules we are concerned mostly with orbitals originating from the overlap of atomic s and p orbitals or their hybrids.
- These can be classified as σ and π bonding orbitals and σ^* and π^* antibonding orbitals, as well as nonbonding orbitals n.
- Most organic molecules are closed-shell molecules in which the highest occupied molecular orbital ***(HOMO) are σ, π or n orbitals***. On excitation, an electron may be promoted into the lowest unoccupied molecular orbital ***(LUMO),*** which is usually an ***σ^* or π^* orbital***.



$\pi \rightarrow \pi^*$: alkenes, alkynes and aromatic molecules
n $\rightarrow \pi^*$: compounds with carbonyl, thiocarbonyl, nitro, azo and imine goups
n $\rightarrow \sigma^*$: amines, alcohols and haloalkanes
$\sigma \rightarrow \sigma^*$: alkanes

3.1C Absorption and fluorescence

Learning outcome

- ☐ Mathematical framework of optical transitions
  - The transition probability P is proportional to the square of the ***transition dipole moment*** μ^2 and the energy density of the radiation field E^2

- ☐ Selection rules
  - Born-Oppenheimer approximation
  - Symmetry, vibrationally and spin allowed/forbidden transitions

- ☐ Relaxation mechanisms of optically excited molecules
  - Jablonski diagram, visualizes radiative & non-radiative mechanisms

- ☐ Relate absorption to molecular properties
  - Beer-Lambert law, oscillator strength

3.1D Energy transfer processes

Learning goals:

- ☐ ***Energy (not charge) transfer processes*** in organic materials
  - ☐ Concept of ***excitons***

Excitons

☐ An exciton is a ***bound state of an electron and a hole*** which are attracted to each other by the electrostatic Coulomb force. It is an electrically neutral quasiparticle that exists in insulators, semiconductors and some liquids.

☐ An exciton can form when a ***material absorbs a photon of higher energy than its bandgap***. This excites an electron from the valence band into the conduction band. In turn, this leaves behind a positively charged electron hole (an abstraction for the location from which an electron was moved).

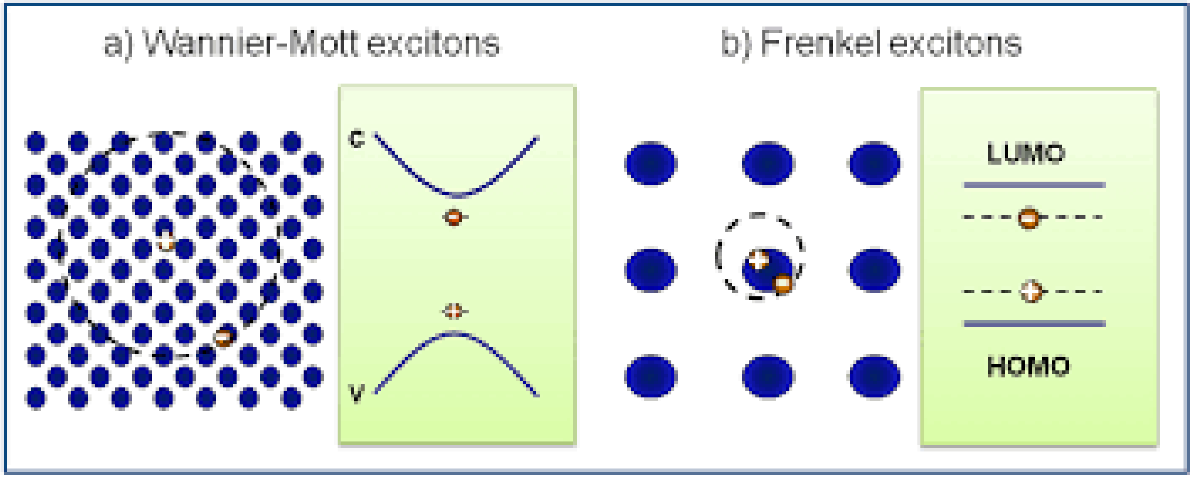
☐ The ***electron*** in the conduction band is then effectively ***attracted*** to this ***localized hole***

Exciton binding energy

- ☐ Due to the ***low dielectric constant in organic semiconductors*** (rel. permittivity ε = 3-4) holes and electrons are not screened as much as in inorganic semiconductors (ε = 10-15).

- ☐ High ***binding energy*** for excitons in organic semiconductos of about 0.5 eV, which means that excitons can not be thermally separated into free charge carriers at room temperature.

- ☐ A large enough driving force (at least as high as the exciton binding energy) is therefore required.



Photoinduced energy transfer and electron transfer

How is ***energy transferred*** from one molecule to the other?

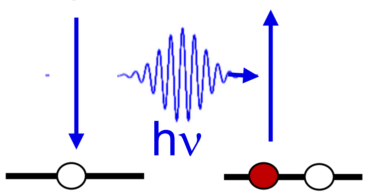
$$\boldsymbol{A}^{*} + \mathbf{B} \rightarrow \mathbf{A} + \boldsymbol{B}^{*}$$

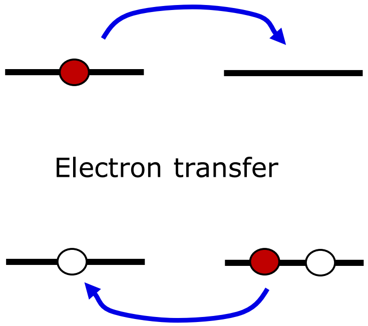
Exciton diffusion

The exciton is regarded as an elementary excitation of condensed matter that can transport energy without transporting net electric charge.

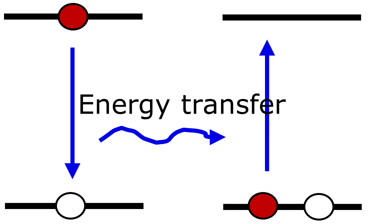
Different mechanisms possible:

Radiative Energy Transfer Nonradiative Energy Transfer





Dexter theory



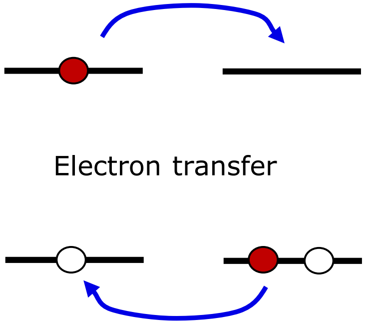
Föster Resonance Energy Transfer (FRET)

Short range electron-exchange energy transfer (Dexter energy transfer)

- ☐ Dexter energy transfer is a process that the donor and the acceptor ***exchange their electron***. In other words, the exchanged electrons should ***occupy the orbital of the other party***.

- ☐ That also implies that the ***excited donor and ground-state acceptor should be close enough*** (decreases exponentially with distance, typically 10 Angstroms).

- ☐ Also, the ***energies involved must be the same***, means overlap of emission spectra of D and absorption spectra of A.



Short range electron-exchange energy transfer (Dexter energy transfer)

- In 1953 Dexter expressed a ***weak coupling exchange-transfer rate*** constant in terms of Z^2:

$$\frac{d}{dt}P_n = \frac{2\pi}{\hbar} Z^2 \int_0^\infty F_A(\overline{v})\, \varepsilon_B(\overline{v})\, d\overline{v} \quad \textbf{with} \quad Z^2 \propto e^{-2r/l}$$

Where *r* is the distance between donor and acceptor molecules and *l* is the van der Waals radius of the donor-acceptor pair (sum of the van der Waals radii of donor and acceptor molecules). The exponential decay of *Z* comes from the fact that *Z* depends on the intermolecular orbital overlap and that molecular wavefunctions decline exponentially at large *r*.

Long-range Coulombic energy transfer (Förster resonance energy transfer – FRET)

- ❑ Förster (1948) demonstrated that rate constant for weak coupling ***dipole-dipole energy transfer*** from M* to Q is given by the expression

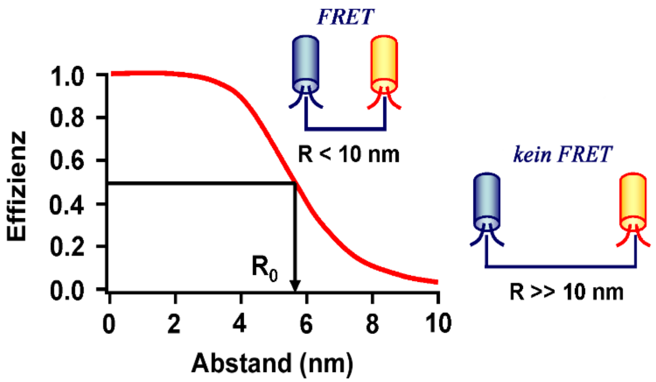
$$\frac{d}{dt}P_n = \frac{0.529\,\kappa^2}{n^4 N_A r^6 \tau_{f,A}} \int_0^\infty F_A(\bar{\nu})\,\varepsilon_B(\bar{\nu})\,\frac{d\bar{\nu}}{\bar{\nu}^4} \quad \text{with} \quad \kappa = \cos\theta_{AB} - 3\cos\theta_A \cos\theta_B$$

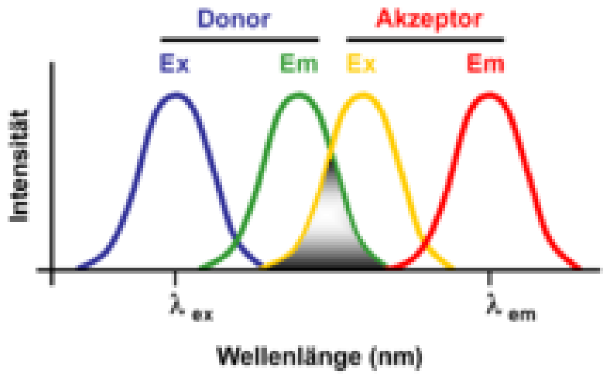
where θ_{AB} is the angle between the transition dipole moment vectors $\vec{\mu}_A$ and $\vec{\mu}_B$, and θ_A and θ_B are the angles between $\vec{\mu}_A$ and $\vec{\mu}_B$ and the internuclear M-Q axis, respectively. Furthermore, *n* is the solvent refractive index, N_A is Avogadro's constant and $\tau_{f,A}$ is the radiative lifetime of A* and the numeric value of 0.529 has the units $\text{cm}^4\ \text{L}^{-1}$.

- ❑ Defining a ***critical transfer distance r_o*** as the D-A separation at which $\frac{d}{dt}P_n = \frac{1}{\tau_A}$, where τ_A is the actual donor excited state lifetime in the absence of A, we obtain:

$$r_0{}^6 = \frac{0.529\,\kappa^2}{n^4 N_A} \int_0^\infty F_A(\bar{\nu})\,\varepsilon_B(\bar{\nu})\,\frac{d\bar{\nu}}{\bar{\nu}^4}$$

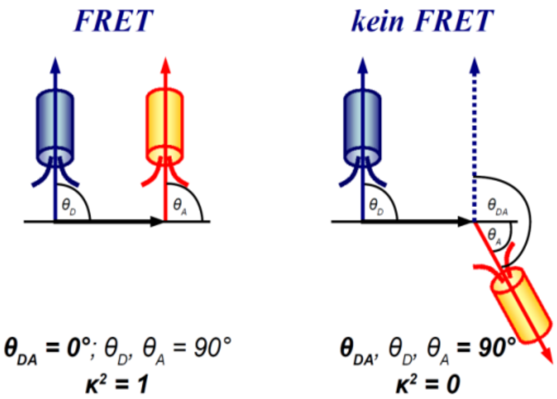
Long-range Coulombic energy transfer (Förster resonance energy transfer – FRET)





- The FRET efficiency depends on the ***separation distance r*** with an inverse 6th power law due to the dipole-dipole coupling mechanism.

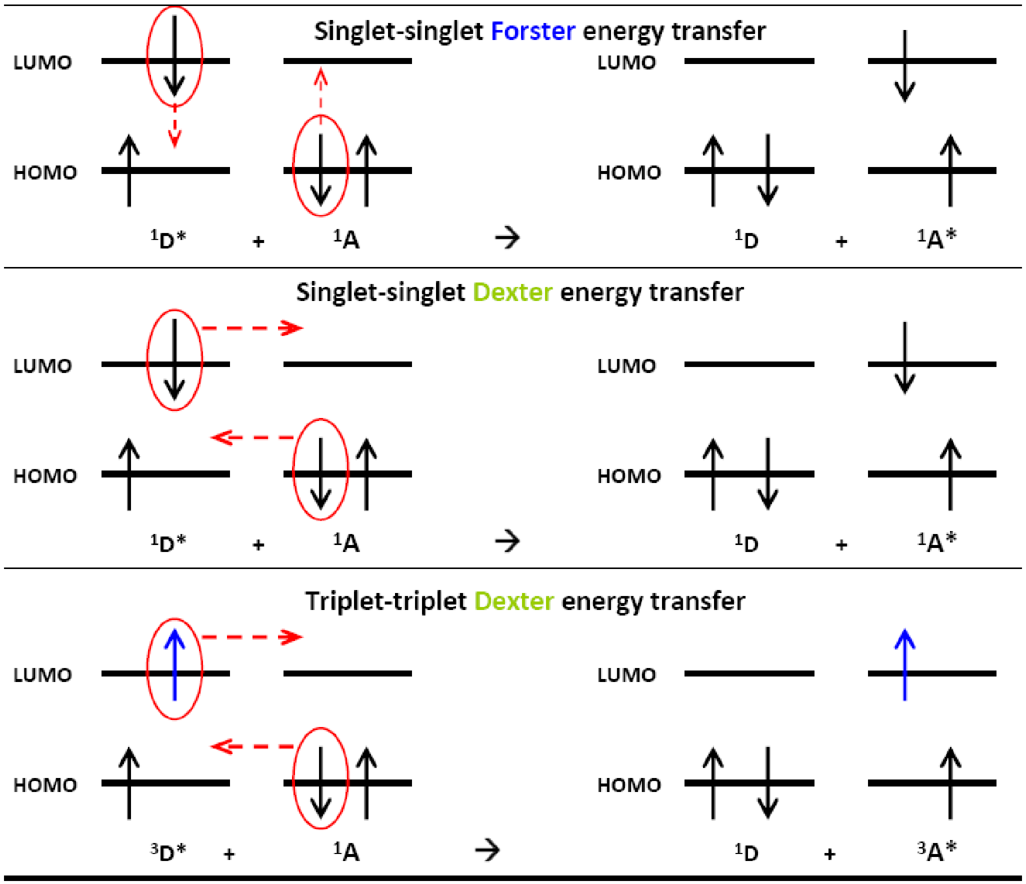
- The ***spectral overlap*** of the donor emission spectrum and the acceptor absorption spectrum.



- The ***relative orientation*** of the donor emission dipole moment and the acceptor absorption dipole moment.

Diffusion of Triplet states

$\overline{\rho}_n$



- Diffusion of ***triplet excitons*** in organic semiconductors occurs via short range Dexter energy transfer.

3.1D Energy transfer processes

Learning outcome

☐ Concept of ***excitons***
  - Bound state of an electron and a hole, Wannier-Mott and Frenkel excitons

☐ How is ***energy transfered*** from one molecule to the other?
  - Via exciton diffusion: radiative, Dexter, Föster